

# CAVLC Video coding Technique for MPEG-4

P.Soundarya, Solomon Gotham

**Abstract:** This paper presents architecture for context adaptive variable length coding (CAVLC) used in the MPEG-4 AVC/H.264 video coding. The proposed design implements the fine-grained zero skipping at the 4x4 block level and the individual coefficient level. This design saves more than half of cycle count and 41% of area cost when compared with the other designs. The total gate count of the design is 10.2K gates. The design is implemented on Xilinx Spartan 3E Xc3s500 fpga and the total power consumption is estimated to be 0.081W.

**Keywords:** CAVLC, MPEG-4, AVC/A.264.

## I. INTRODUCTION

Context-based Adaptive Variable Length Code (CAVLC) has been adopted in MPEG-4 AVC/H.264 video coding standard as one of the entropy coding methods. The abundant zero data in H.264 video coding can be divided into two levels. First, in the 8x8 block level, if all four 4x4 blocks are zero blocks, the CAVLC process will be skipped according to the coding flow. However, if any of the 4x4 blocks is nonzero, the process cannot be skipped. However, even in such nonzero 8x8 block, we still find plenty of zero 4x4 blocks. Second, in a nonzero 4x4 block, only small portion of data, 13% for Qp = 28 case, is nonzero. During the development of H.264 standard, none of previous designs have explored this feature to speedup the encoding cycle and they use one-by-one coefficient coding method ignoring of the data value. This will result in the waste of redundant coding cycles and power consumption. To avoid such problem while still explore the fine-grained zero skipping, this proposed CAVLC design adopts a dedicated zero-block codeword table for fast all-zero block encoding and the nonzero index table for direct nonzero coefficient encoding.

## II. OVERVIEW OF CAVLC PROCESS

The CAVLC coding steps are shown as below:

Scan 4x4 transformed coefficients in reverse zigzag scan order. Encode the number of total nonzero coefficients, *Total Coefficients*, and the trailing ones (up to 3), *Trailing Ones* (T1s). Encode the sign of each trailing one. Encode the level of each remaining nonzero coefficient. Encode the number of total zeros, *Total Zeros*, after the first nonzero coefficient. Encode each run of zeros, *Run Before*, between the nonzero coefficients, which will also depend on the number of zeros that have not yet been coded (*Zeros Left*). During the encoding process, if all coefficients for an 8x8 block are zero, the CAVLC encoding will be skipped and only a special flag, coded block pattern (CBP), is used and set to zero.

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## II. ANALYSIS OF ZERO COEFFICIENTS

### A. Simulation Settings

To justify our fine-grained zero skipping approach, we test two types of statistics. One is the distribution of nonzero coefficients per 4x4 block and the other is the distribution of detected zero 4x4 blocks beyond detected zero 8x8 blocks. The results show large percentage of zero 4x4 block in a nonzero 8x8 blocks and zero coefficients in a nonzero 4x4 block.

### B. Statistics of nonzero coefficients per 4x4 block

For the Qp=28 case, the average number of nonzero coefficients is less than 2. That implies that over 87% of coefficients in a 4x4 block is zero, which shows a large possibility to speed up by the zero coefficient skipping method.

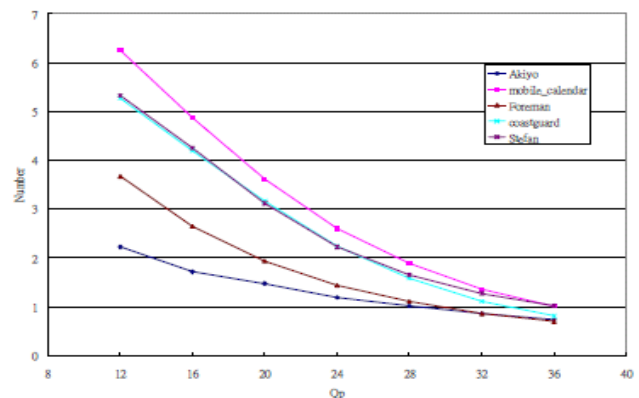


Figure 1 Average number of Total Coefficients per 4x4 block

### C. Statistics of detected zero 4x4 blocks beyond the detected zero 8x8 block

Fig. 2. shows the percentage of extra detected zero 4x4 blocks beyond the detected zero 8x8 block, which is defined as  $[\frac{\text{the number of zero 4x4 block}}{(\text{the number of zero 8x8 block} \times 4) - 1}]$ .

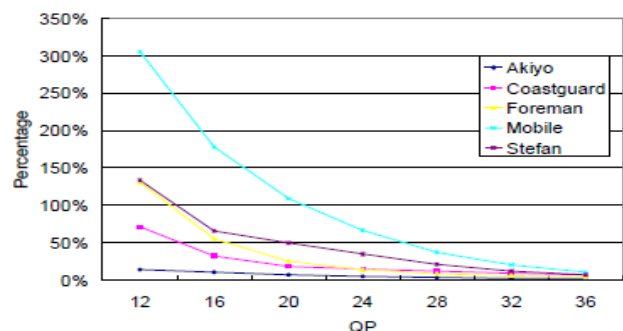


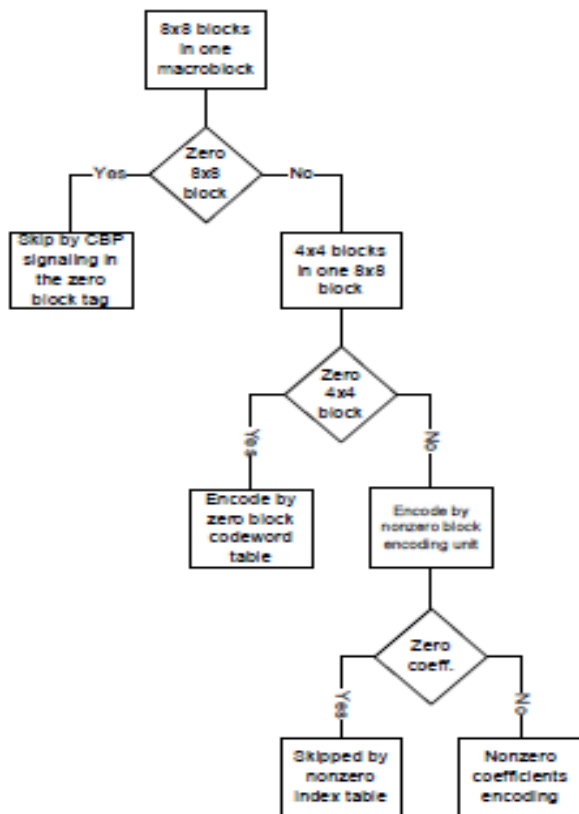
Fig. 2. Percentage of extra detected zero 4x4 blocks beyond the detected zero 8x8 blocks.

Fig. 2. Shows that at least 10% of extra zero 4x4 blocks cannot be detected by zero 8x8 blocks even at high Qp. Thus, just using the CBP signaling as in [4] for zero 8x8 block skipping could not explore the possibility to skip these extra 4x4 zero blocks.

#### IV. EXISTING DESIGN OF CAVLC

##### A. The zero block encoding flow

And Architecture of CAVLC encoder The encoding flow of the proposed CAVLC encoder illustrated in Fig. 3. Figure 3 Encoding flow of the proposed CAVLC encoder.



The encoding path is divided into two, one for fast zero block encoding and one for nonzero block encoding. Then after the four input clock cycles for a 4x4 block, if a zero 4x4 block is detected, the nonzero block encoding path will be turned off. The corresponding codeword generation will be generated by the zero block codeword table directly. The zero block codeword table is a dedicated codeword table for zero 4x4 blocks in a nonzero 8x8 block that is extracted from the CAVLC codeword table. With this approach, no extra cycles are required for encoding and this also provides a fast and low power path for zero 4x4 blocks. Figure 4 shows the architecture of CAVLC encoder

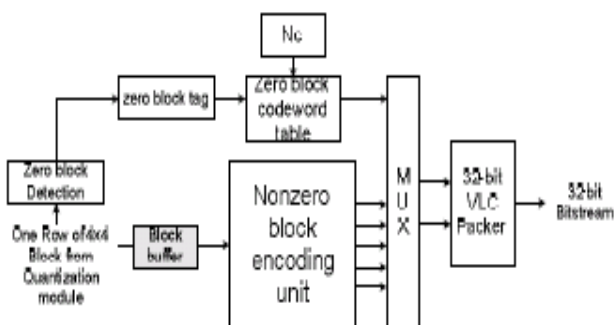
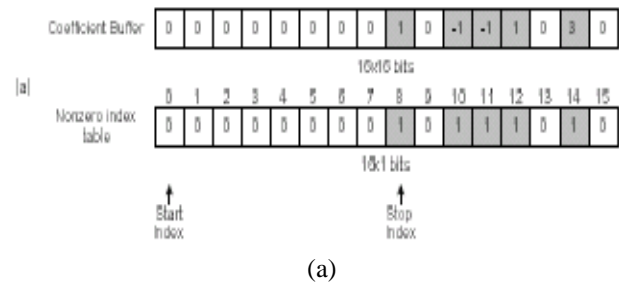


Figure 4 Architecture of CAVLC encoder

Fig.5. shows a simple example to encode the nonzero coefficients and skip the zero coefficients. Fig. 5 (a) shows the content of coefficient buffer and the nonzero index table after all coefficients are loaded. When the encoding is started, the Find Leading One logic first finds the leading one for first nonzero index coefficient from left to right by skipping the run of zeros, and generates one set of start and stop index. The first run of zeros is skipped and not encoded according to the standard. Then, the value of the corresponding nonzero coefficients is checked if it equals to one to decide the T1 and its sign.



In Fig. 6. (b), the second nonzero coefficient will be encoded according to its value. At the same time, the run of zeros specified by the difference of start and stop indexes is also calculated and encoded by the run table. This process is iterated until the stop index is 15 or there is no leading one remained. Thus, in the whole encoding process, we directly encode the levels of nonzero coefficients and the run of zeros at the same time. The cycles to encode zero coefficients are efficiently skipped.

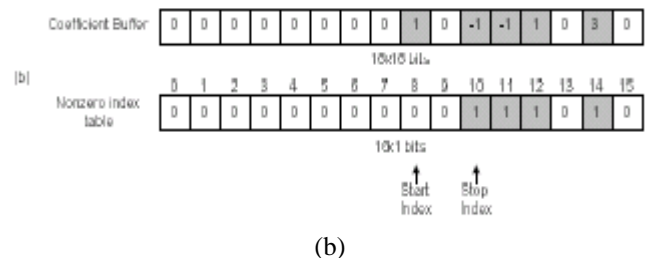
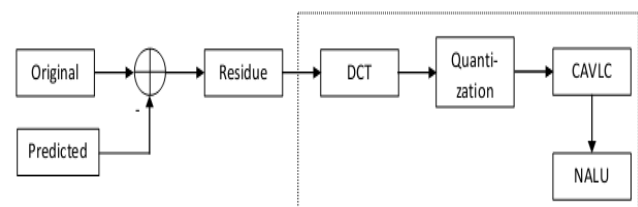


Fig. 6. An example of zero coefficient skipping method: (a) the initial status after all coefficients are loaded and (b) the status after first iteration of leading one detection.

#### III. PROPOSED DESIGN OF CAVLC

H.264, the latest video compression standard, uses CAVLC for encoding the coefficients after quantization. CAVLC encodes the coefficients (the coefficients may be positive or negative) into binary bit stream. The design is implemented on Xilinx Spartan 3E, XcS500E fpga device.



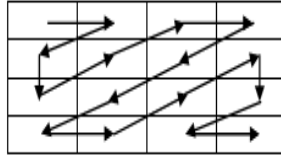
In H.264 Encoder, the predicted submacroblock (of size 4x4) is subtracted from the original submacroblock (of size 4x4), resulting the residue submacroblock (of size 4x4).

This residue is transformed by modified Discrete Cosine Transform. The transformed residue is also of size 4x4. Then this transformed residue is quantized (dividing by some defined number, QStep). This quantized-transformed residue is encoded as follows.

#### Encoding process:

There will be 16 coefficients in a 4x4 submacroblock. The total number of coefficients is tot\_coef = 16.

(0,0)	(0,1)	(0,2)	(0,3)
(1,0)	(1,1)	(1,2)	(1,3)
(2,0)	(2,1)	(2,2)	(2,3)
(3,0)	(3,1)	(3,2)	(3,3)



The 16 coefficients are taken in a zig-zag manner as shown in the above figure, and written in an array.

(0,0) – (0,1) – (1,0) – (2,0) – (1,1) – (0,2) – (0,3) – (1,2) – (2,1) – (3,0) – (3,1) – (2,2) – (1,3) – (2,3) – (3,2) – (3,3)

The important parameters to be encoded.

1. Number of nonzero coefficients (numCoef) and Trailing Ones (T1)
2. The pattern of Trailing Ones (T1)
3. The nonzero coefficients (Levels)
4. Number of zeros embedded in the nonzero coefficients (Total\_zeros)
5. The location of those embedded zeros (run\_before)

#### 1. Number of nonzero coefficients (numCoef) and Trailing Ones (T1)

Calculate number of nonzero coefficients (numCoef). For this array (or sub macroblock), allot Nc Present = numCoef.  $[0 \leq \text{numCoef} \leq \text{tot\_coef}]$

Remove the zero coefficients from the last, one – by – one, till the nonzero coefficient is reached. This reduced array may have zeros in between the first and last nonzero coefficients.

If the last nonzero coefficient is not equal to ‘±1’, then Trailing ones (T1) = 0. If the last nonzero coefficients is equal to ‘±1’, then calculate the number of continuous ones (+1 or -1) from last nonzero coefficient ‘±1’ towards first nonzero coefficient. T1 includes the last nonzero coefficient also, if the last nonzero coefficient is ‘±1’.

Restrict the value of T1 to 3. Maximum value of T1 = 3 i.e., consider only three ‘±1’s only from the last nonzero coefficient inclusive. If there is any other ‘±1’ still, consider those ‘±1’ as normal numbers, not as T1s. So, now T1 is ready. i.e.,  $[0 \leq T1 \leq 3]$ .

For Luma, Chroma DC (4:4:4) and Chroma AC (T1, numCoef) will be coded based on nCContext. nC Context =  $(nCA + nCB + 1) \gg 1$ . nCA is the number of nonzero coefficients available in the left 4x4 submacroblock and nCB is the number of nonzero coefficients available in the up 4x4 submacroblock. If any of nCA or nCB is not available, then nC Context =  $(nCA + nCB)$ . Note that nC Present has no role here. Based on nCContext, the corresponding column will be selected in the Table 1. For (T1, numCoef), the code will be selected. If nCContext < 8, the codes will be variable length codes. If nCContext > 7, the codes will be fixed length codes (6-bits). The first four bits of fixed length code is (numCoef – 1) and the last two bits of fixed length code is T1. But for T1 = 0 and numCoef = 0, the code is different.

T1	numCoef	$0 \leq nC < 2$	$2 \leq nC < 4$	$4 \leq nC < 8$	$8 \leq nC$
0	0	1	11	1111	000011
0	1	000101	001011	001111	000000
0	2	00000111	000111	001011	000100
0	3	00000111	0000111	001000	001000
0	4	000000111	00000111	0001111	001100
0	5	0000000111	00000100	0001011	010000
0	6	0000000111	00000011	0001001	010100
0	7	00000000111	0000000111	0001000	011000
0	8	000000001000	0000000101	00001111	011100
0	9	000000000111	0000000111	00001011	100000
0	10	000000000101	0000000101	00000111	100100
0	11	0000000000111	0000000100	00000101	101000
0	12	0000000000101	00000000111	00000100	101100
0	13	00000000000111	00000000101	00000101	110000
0	14	00000000000101	000000000111	00000100	110100
0	15	00000000000011	000000000101	000000101	111000
0	16	00000000000010	000000000111	000000001	111100
1	1	01	10	1110	000001
1	2	001010	00111	01111	000101
1	3	00000110	001010	01100	001001
1	4	00000110	000110	01010	001101
1	5	000000110	0000110	01000	010001
1	6	0000000110	00000110	001110	010101
1	7	000000001110	000000110	001010	011001
1	8	0000000001010	0000000110	0001110	011101
1	9	00000000001110	00000001010	00001110	100001
1	10	000000000001010	000000001110	00001010	100101
1	11	000000000000110	000000001010	00000110	101001
1	12	000000000001010	000000000110	000001010	101101
1	13	000000000000011	0000000001010	000000111	110001
1	14	0000000000001110	0000000000110	0000001100	110101
1	15	0000000000001010	00000000001000	0000001000	111001
1	16	0000000000000110	00000000000110	0000000100	111101
2	2	001	011	1101	000110
2	3	0000101	001001	01110	001010
2	4	00000101	000101	01011	001110
2	5	000000101	0000101	01001	010010
2	6	0000000101	00000101	001101	010110
2	7	00000000101	000000101	001001	011010
2	8	0000000001101	00000001101	0001101	011110
2	9	000000000001001	0000000001001	0001010	100010
2	10	000000000001101	0000000001101	00001101	100110
2	11	0000000000001001	0000000001001	00001001	101010

T1	numCoef	$0 \leq nC < 2$	$2 \leq nC < 4$	$4 \leq nC < 8$	$8 \leq nC$
2	12	00000000000101	000000000101	000001101	101110
2	13	00000000000001	000000000001	000001001	110010
2	14	00000000000001101	0000000000110	0000001011	110110
2	15	0000000000001001	00000000001010	0000000111	111010
2	16	0000000000000101	00000000000101	0000000011	111110
3	3	00011	0101	1100	001011
3	4	000011	0100	1011	001111
3	5	0000100	00110	1010	010011
3	6	00000100	001000	1001	010111
3	7	000000100	000100	1000	011011
3	8	0000000100	0000100	01101	011111
3	9	00000000100	00000100	001100	100011
3	10	0000000001100	00000001100	0001100	100111
3	11	00000000001100	0000000000	0000100	101011
3	12	000000000001000	0000000001100	00001000	101111
3	13	000000000000100	0000000001000	000001100	110011
3	14	000000000000000	0000000000000	0000001010	110111
3	15	00000000000001100	0000000000001	0000000110	111011
3	16	0000000000000000	00000000000100	0000000010	111111

Table 1 Code for (T1, numCoef) for Luma coefficients and Chroma AC Coefficients

T1	numCoef	nC = -1	nC = -2	T1	numCoef	nC = -1	nC = -2
0	0	01	1	1	7	-	00000000101
0	1	000111	000111	1	8	-	00000000010
0	2	000100	000110	2	2	001	001
0	3	000011	00000111	2	3	0000010	000101
0	4	000010	0000010	2	4	00000010	0001010
0	5	-	0000000111	2	5	-	0000000100
0	6	-	00000000111	2	6	-	00000000101
0	7	-	000000000111	2	7	-	000000000101
0	8	-	0000000000111	2	8	-	0000000000100
1	1	1	01	3	3	000101	00001
1	2	000110	0001101	3	4	0000000	000001
1	3	0000011	0001100	3	5	-	0001001
1	4	00000011	000000101	3	6	-	0001000
1	5	-	0000000110	3	7	-	0000000100
1	6	-	00000000110	3	8	-	000000000100

Table 2 Code for Chroma DC Levels



## 2. The pattern of Trailing Ones (T1)

If  $T1 > 0$ , those T1 nonzero coefficients should be coded from last T1 nonzero coefficient towards the first T1 nonzero coefficient (like reading Urdu / Arabic !). If the T1 is '+1', it is coded with '0'. Else it is coded with '1'. Writing the code should be from left to right (? □). Maximum 3 bits will be written.

## 3. The nonzero coefficients (Levels)

If  $\text{numCoeff} > T1$ , then the remaining nonzero coefficients are called levels and those levels are coded by Prefix – Suffix method which is explained next. Else there is no coding of levels.

### Prefix - Suffix Method :

For any level, there will be <prefix><suffix>

<prefix> will have <zeros 1>, calculation of no. of zeros in prefix will be discussed in Algorithm given next.

<suffix> will have sign bit as LSB, the remaining bits will be derived from the nonzero coefficient which will be discussed in Algorithm. No. of bits of suffix is called as Suffixlength.

Algorithm for level: For a given nonzero coefficient, 'a'

Step 1: If ( $\text{numCoeff} > 10$ ) and ( $T1 < 3$ ), Suffixlength = 1 or else Suffixlength = 0

Step 2: If (Suffixlength = 0) and ( $\text{numCoeff} \leq 3$  or  $T1 < 3$ ), change  $|a| \square |a| - 1$  and sign is same. Or else keep 'a' same.

(i) If  $|a| < 8$ , there is no suffix. Prefix will be found for 'a'. Prefix is <zeros 1>.

No. of zeros before 1 in prefix =  $2 \times (|a| - 1) + \text{sign}$ . (If  $a < 0$ , sign = 1, else sign = 0). Go to Step 13.

(ii) If  $|a| < 16$ , there is suffix of length, suffixlength = 4. The LSB of suffix = sign bit. The remaining bits (3 bits) is  $(|a| - 8)$ . The prefix is <14 zeros 1>. Go to step 13.

(iii) If  $|a| > 15$ , there is <Prefix><Suffix>. Diff =  $|a| - 16$ . Go to Step 9.

Step 3: Else (Suffixlength = 1), change  $|a| \square |a| - 1$  and sign is same. There will be <prefix><suffix> = <zeros 1><suffix>.

Step 4: If  $(|a| - 1) > 15 \times 2^{\text{suffixlength}-1}$ , Diff =  $(|a| - 1) - (15 \times 2^{\text{suffixlength}-1})$ , Then go to Step 9.

Step 5: If 'a' is positive, the LSB of suffix = 0, or else LSB of suffix = 1

Step 6: If suffixlength > 1, the remaining bits of suffix = the (Suffixlength – 1) LSBs of  $(|a| - 1)$

Step 7: No. of zeros in prefix = value of remaining MSBs of  $(|a| - 1)$

Step 8: The code for present nonzero coefficient 'a' is <prefix><suffix> ready. Go to Step 13.

Step 9: Suffix length =  $12 + (\text{Diff} \gg 11)$  bits

Step 10: Prefix = <  $(15 + 2 \times (\text{Diff} \gg 11))$  zeros 1 >

Step 11: LSB of Suffix = sign bit of 'a'

Step 12: Remaining bits of Suffix = Binary form of Diff (Right Aligned).

Step 13: Based on present nonzero coefficient 'a', set the next Suffixlength (Ref: Table 3)

Note 1: If the nonzero coefficient is first nonzero coefficient (other than trailing ones), and if the present  $|a| > 3$ , then new suffixlength = 2.

Note 2: Else if the new Suffixlength = 2 and previous Suffixlength = 0, then Suffixlength = new Suffixlength (i.e., 2)

Note 3: Else if the new Suffixlength > previous Suffixlength, Suffixlength will be incremented (it will not be changed drastically).

Note 4: Else keep the same previous Suffixlength as new Suffixlength.

(Note that the previous Suffixlength means the Suffixlength calculated previously in this step only, not in any other steps.)

Step 14: If any nonzero coefficient is available next (reverse reading!), read 'a' and then go to Step 4. Step 15: Stop

Non zero Coefficient	Suffix length to be set
0	0
1, 2, 3	1
4, 5, 6	2
7, 8, 9, 10, 11, 12	3
13 – 24	4
25 – 48	5
> 48	6

Table 3 Suffix length

## 4. Number of zeros embedded in the nonzero coefficients (Total\_zeros)

If  $\text{numCoeff} < \text{tot\_coeff}$ , by reading the array between the last nonzero coefficient and the first coefficient, calculate number of zeros. It is represented as total\_zeros. For Luma, Chroma DC (4:4:4) and Chroma AC, the (total\_zeros, numCoeff) in Table 5, will give the code for total\_zeros. ( $0 \square \leq \text{total\_zeros} \leq 15$ ). For Chroma DC (4:2:0), the code for total\_zeros is found in Table 4 and for Chroma DC (4:2:2), the code is found in Table 6.

No. of zeros (total zeros)	Number of non zero coefficients (numCoeff)		
	1	2	3
0	1	1	1
1	01	01	0
2	001	00	
3	000		

Table 4 Total zeros table for 4x4 blocks for Chroma DC 2x2 block (4:2:0 subsampling)

		Number of non zero coefficients (numCoeff)															
		1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	
No. of zeros (total_zeros)	0	1	111	0101	00111	0101	000011	00001	00001	00001	00001	00001	0000	0000	000	0	0
	1	011	110	111	111	0100	00001	00001	00001	00001	00000	00000	0000	000	00	0	0
	2	010	101	110	0101	0011	111	101	00001	00001	001	001	01	1	1		
	3	011	100	101	0100	111	110	100	011	11	11	010	1	01			
	4	010	011	0100	110	110	101	011	11	10	10	10	1	001			
	5	00011	0101	0011	101	101	100	11	10	001	01	011					
	6	00010	0100	100	100	100	011	010	010	01	0001						
	7	00011	0011	011	0011	011	010	0001	001	00001							
	8	00010	0010	0010	011	0010	0001	001	00000								
	9	000011	00011	0001	0010	0001	001	00000									
	10	000010	00010	00010	00010	0010	001	00000									
	11	0000011	000011	000001	00001	00000											
	12	0000010	000010	00001	00000												
	13	00000011	000001	000000													
	14	00000010	000000														
	15	00000001															

No. of zeros (total zeros)	Number of non zero coefficients numCoeff						
	1	2	3	4	5	6	7
0	1	000	000	110	00	00	0
1	010	01	001	00	01	01	1
2	011	001	01	01	10	1	
3	0010	100	10	110	11		
4	0011	101	110	111			
5	0001	110	111				
6	0000	1	111				

Table 6 Total zeros table for 4x4 blocks for Chroma DC 2x4 block (4:2:2 subsampling)

5. The location of those embedded zeros (run\_before) If  $\text{total\_zeros} > 0$ , then runbefore is calculated. 'runbefore' will find a code for the location of zeros between last nonzero coefficient and first coefficient.

### Algorithm for run before:

Step 1: Starting from last nonzero coefficient

Step 2: zerosLeft = total\_zeros.

- Step 3: Find the number of zeros present before that nonzero coefficient (run\_before).
- Step 4: Referring Table 7, find the code for (run\_before, zerosLeft).
- Step 5: zerosLeft = zerosLeft – run\_before
- Step 6: If zerosLeft = 0 or number of coefficient remaining = zerosLeft, go to Step 11.
- Step 7: If the present nonzero coefficient = first nonzero coefficient, go to Step 11.
- Step 8: If number of coefficients left = zerosleft – run\_before, go to Step 11.
- Step 9: Go to previous nonzero coefficient.
- Step 10: Go to Step 3
- Step 11: Stop

run_before	zerosLeft						
	1	2	3	4	5	6	> 6
0	1	1	11	11	11	11	111
1	0	01	10	10	10	000	110
2	-	00	01	01	011	001	101
3	-	-	00	001	010	011	100
4	-	-	-	000	001	010	011
5	-	-	-	-	000	101	010
6	-	-	-	-	-	100	001
7	-	-	-	-	-	-	0001
8	-	-	-	-	-	-	00001
9	-	-	-	-	-	-	000001
10	-	-	-	-	-	-	0000001
11	-	-	-	-	-	-	00000001
12	-	-	-	-	-	-	000000001
13	-	-	-	-	-	-	0000000001
14	-	-	-	-	-	-	00000000001

Table 7 Tables for run\_before

## V. HARDWARE IMPLEMENTATION AND PERFORMANCE ANALYSIS

The presented CAVLC design is implemented with Verilog HDL and synthesized on Xilinx Spartan 3E XC3s500 fpga. TABLE I. shows the device utilization summary.

### RTL VIEW

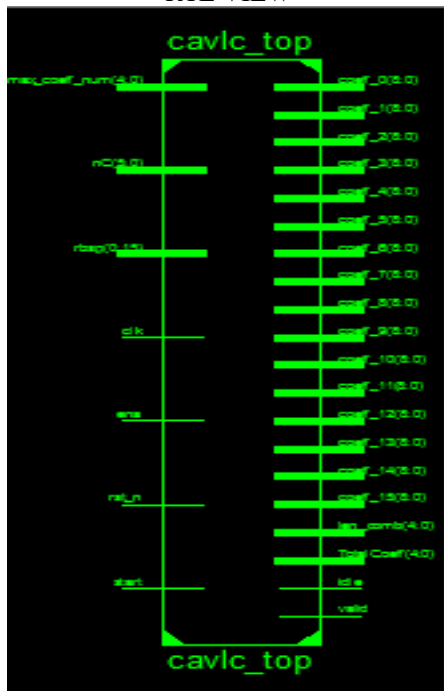
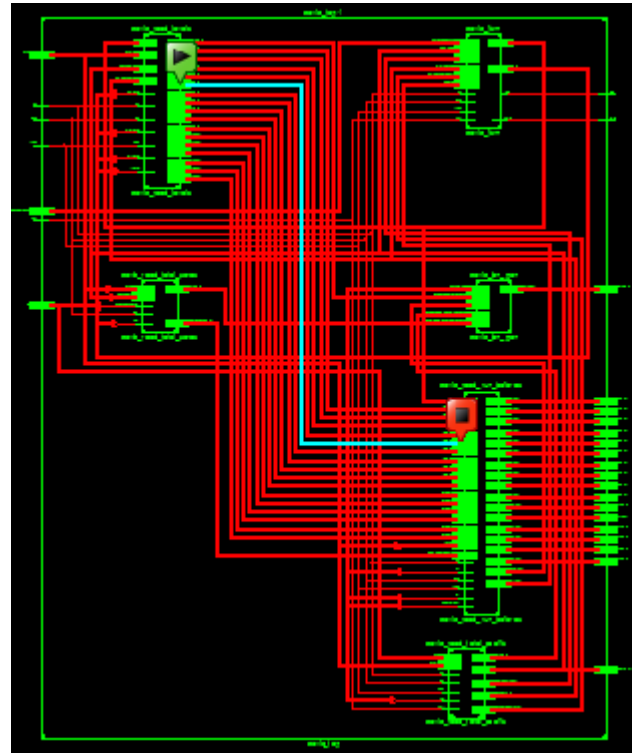


Table I

Logic Utilization	Used	Available	Utilization
Number of Slice Flip Flops	402	9,312	4%
Number of 4 input LUTs	1,483	9,312	15%
Number of occupied Slices	806	4,656	17%
Number of Slices containing	806	806	100%

only related logic			
Number of Slices containing unrelated logic	0	806	0%
Total Number of 4 input LUTs	1,500	9,312	16%
Number used as logic	1,483		
Number used as a route-thru	17		
Number of bonded IOBs	187	232	80%
Number of BUFGMUXs	1	24	4%

### RTL Schematic:



### POWER COSUMPTION REPORT:

Device	Spartan3e	On-Chip	Power (W)	Used	Available	Utilization (%)
Family	xc3s500e	Clocks	0.000	1	---	---
Part	fg320	Logic	0.000	1490	9312	16.0
Package	Commercial	Signals	0.000	1506	---	---
Grade	Typical	IOs	0.000	187	232	80.6
Process	Speed Grade -4	Leakage	0.081			
		Total	0.081			
Environment		Thermal Properties	Effective TJA	Max Ambient	Junction Temp	
Ambient Temp (C)	25.0		(C/W)	(C)	(C)	
Use custom TJA?	No		26.1	82.9	27.1	
Custom TJA (C/W)	NA					
Airflow (LFM)	0					

## VI. CONCLUSION

This paper presents a high performance CAVLC encoder for H.264 video coding. With the efficient fine-grained zero skipping, the encoder design just needs one cycle for all-zero block encoding and the average fan-out of Non-clock nets 4.29 cycles for nonzero block coding with the area cost of 1483 LUT's. The total area cost reduced to 41% and the total gate count in the design is 10.2K gates. Further area optimization is possible by minimizing the codeword table as in previous VLC designs.

## REFERENCES

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