

Current Follower Trans conductance Amplifiers Current-Mode Multiplier Circuit

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Abstract— Multiplier-divider circuits is using in digital signal processing base on neural networks and communications (amplifiers with variable gain, modulators, detectors and,...).In this paper, the design of a simple analog current mode multiplier/divider circuit using only two current followertrans conductance amplifiers (CFTAs) is presented. With theselection of the applied input currents, the proposed circuit canperform four-quadrant current multiplication, division andcurrent-controlled current amplification, all from the samecircuit configuration. The circuit is also insensitive to ambienttemperature variations. Additionally, the CFTA non-idealityeffects and the non-ideal gain and parasitic component effects onthe proposed circuit are studied. The performances of therealized circuit are examined by PSPICE simulations.
Index terms ANALOG SIGNAL PROCESSING, CFTA, MULTIPLIER, RECONFIGURABLE CIRCUITS.

I. INTRODUCTION

Analog multipliers and dividers are pivotal cells in widerange of analog VLSI signal and information processingapplications [1]. They have been found ubiquitously in manyapplications, such as conventional RMS-to-DC converters,A/D-D/A converters, peak detectors, modulators, phasedetectors and synthesizers, and to more recent ones, such asartificial neural networks and fuzzy logic controllers [2]-[4].Recently, a relatively reported active building block, the so calledcurrent follower trans conductance amplifier (CFTA) wasintroduced [5]. The CFTA device is a combination of a currentfollower and a trans conductance amplifier, providing electronic tuning ability through its trans conductance gain (g_m).Therefore, the CFTA A is quite suitable for the synthesis ofcurrent-mode circuits. Moreover, the use of the CFTA as anactive element provides the circuits with lesser number ofpassive elements than its counterparts, thereby leading tocompact structures in some applications [6]. Although severalimplementations based on CFT As have been proposed intechanical literature [5]-[11], there is not much reported in the literature on the use of CFT As for realizing analog currentmultiplier/divider circuit.

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It is the major goal of this paper to present a simple currentmodeanalog multiplier/divider circuit using only two CFTAswithout any external passive element requirement. Theproposed circuit presented here can perform four-quadrantmultiplication and division all from the same configurationwith the selection of the applied current signals. Moreover, thecircuit can also perform a current-controlled current amplifier,which its transfer gain can be adjusted electronically by theexternal bias currents. The circuit is ideally insensitive tototemperature variations. The effects of the CFTA non-idealitieson the performance of the proposed circuit are investigatedindetail. The PSPICE simulation results for the proposed circuitare included to demonstrate the performance.

II. THEORETICAL ANALYSIS

A. CFTA

An electrical symbol of the CFTA A is shown in Fig. 1 ,where is an input terminal and z and x are output terminals. The terminal relation of this device can be expressed by the following equations [5] :

$$v_f = 0 \quad i_z = i_f \quad \text{and} \quad i_x = g_m v_z = g_m Z_z i_z \quad (1)$$

where g_m is the trans conductance gain of the CFTA A, and Z_z is an impedance connected at the terminal z. From equation (1),the current through the terminal z (i_z) follows the input currentthrough the terminal f (i_f), and flows from the terminal z into anoutside impedance Z_z . The voltage drop at the terminal z is transferred to a current at the terminal x (i_x) by atrans conductance gain (g_m), which is usually controlled byelectronic means.

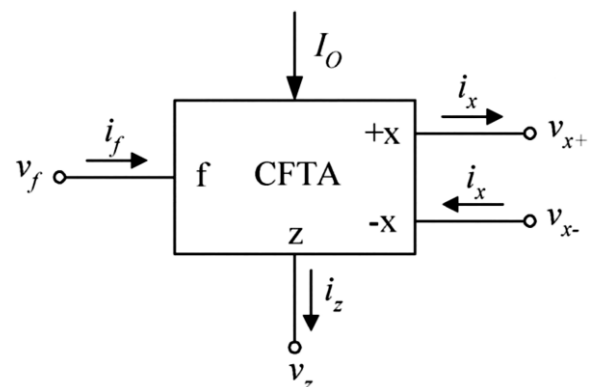


Figure 1. Electrical symbol of the CFTA.

The possible technique to realize the CFTA A using bipolar transistor technology is shown in Fig.2 [7], [9].



It mainly comprises a current follower circuit formed by transistors Q_1 - Q_6 and DC bias current I_B and a multiple-output transconductance amplifier Q_7 - Q_{29} . In this case, the transconductance gain g_m of the CFT A is directly proportional to the external bias current I_Q , which can be written by :

$$g_m = \frac{I_Q}{2V_T} \quad (2)$$

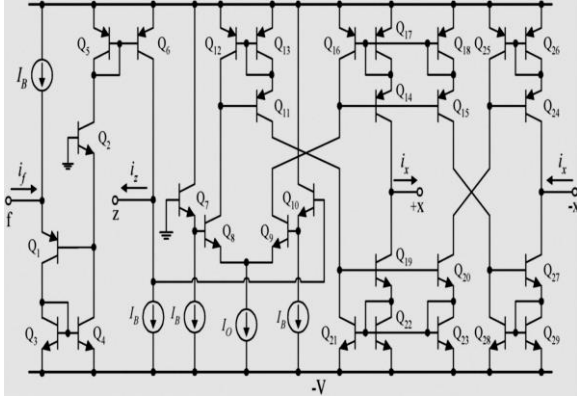


Figure 2. Possible bipolar implementation of the CFTA.

III. PROPOSED CURRENT MULTIPLIER/DIVIDER

Illustrated in Fig.3 is the proposed analog current multiplier/divider circuit, which consists of only two CFTAs. Since the circuit does not require any external passive components, it is very suitable for the monolithic implementation. Routine circuit analysis using the CFT A properties described in equation (1) yields the output current to be as follows.

$$i_{out} = \frac{i_1(t)i_2(t)}{i_3(t)} \quad (3)$$

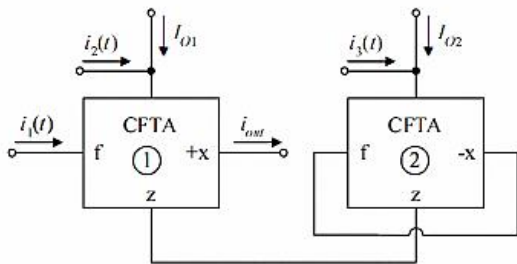


Figure 3. Proposed current multiplier/divider circuit.

Equation (3) clearly shows that, by properly selecting the applied input currents, the proposed circuit can perform both four-quadrant multiplication and division of two current signals. To function a signal multiplier, the input signal currents are $i_1(t)$ and $i_2(t)$, while $i_3(t) = 0$. In case of a signal divider, the input signals are $i_1(t)$ (or $i_2(t)$) and $i_3(t)$. In addition, if $i_1(t)$ is chosen as an input signal current (i_{in}) and $i_2(t) = i_3(t) = 0$, then the proposed circuit can work as a current-controlled current amplifier that its gain can be controlled electronically by the ratio of (i_{in}/i_{out}) . It should also be noted from equation (3) that the proposed circuit is temperature insensitive, since there is no temperature-dependent term.

IV. NON-IDEALITY EFFECTS

Considering the parasitic elements and transfer errors, the simplified equivalent circuit represented the behavior of the non-ideal CFTA can be illustrated in Fig.4. These result from the series input resistance R_f at terminal f, and the shunt output impedances ($R_z||C_z$ and $R_x||C_x$) at terminals z and x, respectively. More specifically, α and β are the parasitic current gain between the f to z, n to z, and transconductance inaccuracy factor between the z to x terminals of the CFTA, respectively. Therefore, by taking into account the non-ideal CFTA characteristics, the modified current transfer function for the proposed circuit of Fig.3 can be rewritten as:

$$i_{out} = \left(\frac{\alpha_1 \beta_1}{\alpha_2 \beta_2} \right) \frac{i_1 i_2}{i_3 \left(1 + \frac{s}{\omega_1} \right) \left(1 + \frac{s}{\omega_2} \right)} \quad (4)$$

$$\text{Where } \omega_1 = \left[\frac{\alpha_2 \beta_2 i_3}{2V_T (C_{z1} + C_{z2})} \right] \quad (5)$$

$$\omega_2 = \left[\frac{1}{R_L C_{x1}} \right] \quad (6)$$

and R_L is the load resistor. It is apparent from equation (4) that undesirable factors are yielded by the non-idealities of the CFTA. The tracking errors do affect the current transfer gain with the factor $\left(\frac{\alpha_1 \beta_1}{\alpha_2 \beta_2} \right)$. However, to eliminate these effects, a careful circuit realization of the CFT A that provides $\alpha_i = \beta_i \approx 1$ should be strictly considered. Note also from equations (5) and (6) that the useful frequency range (ω) of the proposed circuit is limited by the poles ω_1 and ω_2 . Therefore, the proper operation will be valid for frequencies lower than approximately $\frac{\omega_1}{10}$ and $\omega_2/10$, or we can say that [12] :

$$\omega \ll 0.1 \{ \omega_1, \omega_2 \} \quad (7)$$

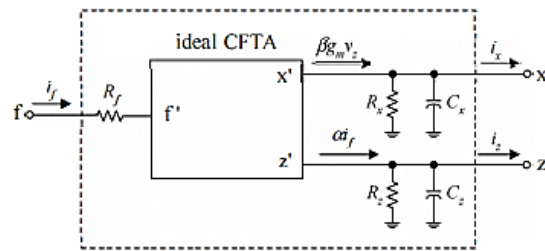


Figure 4. Simplified equivalent circuit of the non-ideal eFTA.

V. SIMULATION RESULTS

To confirm the theoretical analysis, the proposed current multiplier/divider circuit of Fig.3 is simulated in PSPICE program. To perform the CFT A active element in simulations, it was achieved by the schematic bipolar configuration given in Fig.2 with the transistor model parameters of PRIOON (PNP) and NPIOON (NPN) of the bipolar arrays ALA400 from AT&T [13,14]. The supply voltage are $\pm V = \pm 3V$, and the bias currents are $I_B = 50 \mu A$.



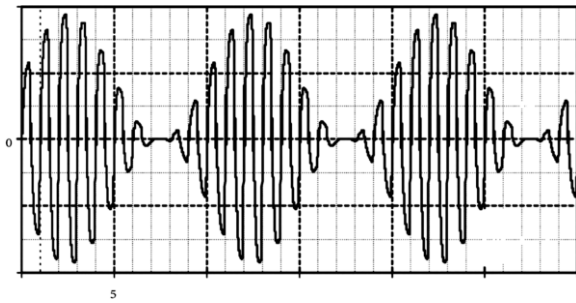


Figure 5, Output current waveform obtained from the multiplier of Fig.3 for 100 kHz modulating sinusoid and 1 MHz carrier inputs.

proposed circuit when operating as a multiplier. In this case, two sinusoidal signals were set to be : $i_1(t) = 100 \sin 2\pi(10e6)t$ uA, $i_2(t) = 100 \sin 2\pi(10e5)t$ uA, and $i_3(t) = 0$ uA, whereas the bias currents were chosen as: and $I_{O1} = I_{O2} = 100$ uA. To verify the divider operation, the input signal currents $i_1(t)$ and $i_2(t)$ were kept constant at 50 uA, and $i_3(t)$ was a 100-kHz triangular periodic waveform with a peak value of 50 uA. The simulation results are shown in Fig.6. From these simulations, an accuracy of less than 2% in output waveforms was observed. Fig.7 depicts output current waveforms obtained from the proposed circuit of Fig.3 when working as a current-controlled current amplifier. The simulation results are obtained for three different values of I_{O1} , while $I_{O2} = 100$ uA, $i_1(t) = i_{in}(t) = 50 \sin 2\pi(10e5)t$ uA, and $i_2(t) = i_3(t) = 0$

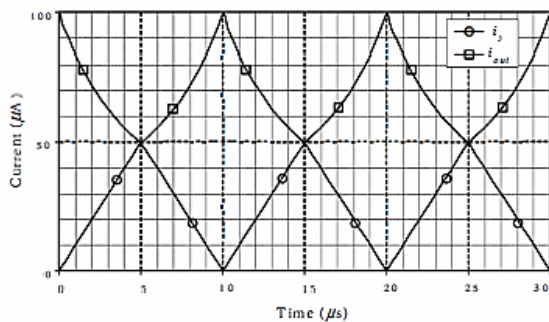


Figure 6. Output current waveform obtained from the divider of Fig.3 for 100 kHz triangular input.

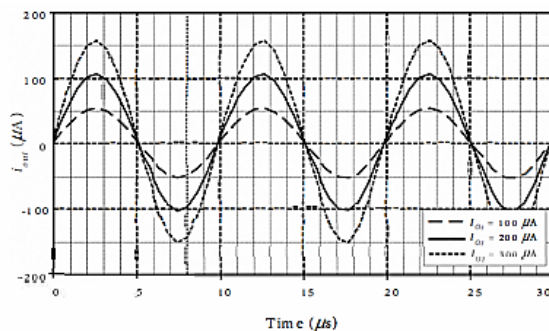


Figure 7, Output current waveforms obtained from Fig.3 for different values of I_{O1} .

Under the conditions of $i_2(t) = i_3(t) = 50$ uA and $I_{O1} = I_{O2} = 100$ uA, the change in the total harmonic distortion (THD) versus input current signal $i_1(t)$ at operating frequencies $f = 100$ kHz is given in Fig.8. The obtained results show that the THD of the circuit increases rapidly if an input current signal is increased beyond the 100 uA level. However, for input signal amplitudes lower than 50 uA, the THD remains in acceptable limits of the order of $THD = 4\%$.

To display the temperature performance of the proposed circuit, the simulation result is shown in Fig.8 where the relative sensitivity of i_{out} with respect to temperature is approximately equal to 13×10^{-9} A/C. It is clearly seen that the circuit exhibits excellent temperature insensitivity over a wide range of temperatures.

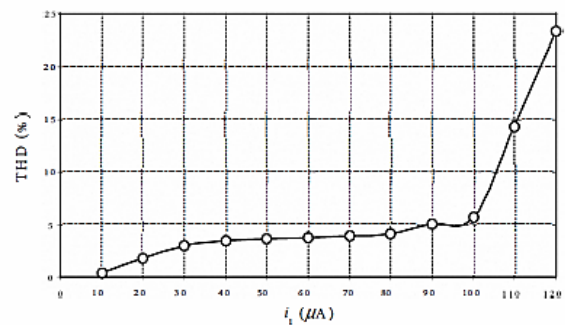


Figure 8. Variation of THD against input current amplitude.

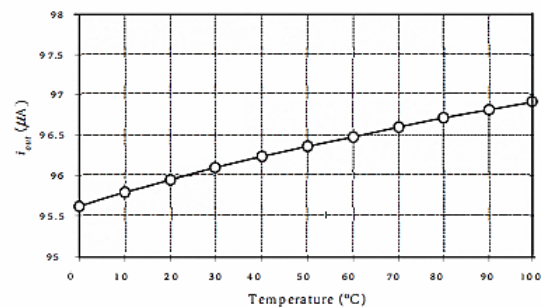


Figure 9. Variation of the output current i_{out} against temperature.

VI. CONCLUSION

Simple topology for realizing current-mode analog multiplier/divider circuit has been presented. The proposed circuit employs only two CFTAs without needing external passive elements. The circuit can be used for performing the multiplication, division and amplification without changing its topology. The proposed circuit is simple and canonical in structure, temperature-insensitive, and suitable for fully monolithic integration. The effects of CFTA non-idealities are discussed, and simulation results are provided.

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