

Mining of Sequential Patterns using Directed Graphs



Sabeen S, R. Arunadevi, Kanisha, R.Kesavan

Abstract: Sequential pattern mining is one of the important functionalities of data mining. It is used for analyzing sequential database and discovers sequential patterns. It is focused for extracting interesting subsequences from a set of sequences. Various factors such as rate of occurrence, length, and profit are used to define the interestingness of subsequence derived from the sequence database. Sequential pattern mining has abundant real-life applications since sequential data is logically programmed as sequences of cipher in many fields such as bioinformatics, e-learning, market basket analysis, texts, and webpage click-stream analysis. A large diversity of competent algorithms such as Prefixspan, GSP and Freespan have been proposed during the past few years. In this paper we propose a data model for organizing the sequential database, which consists of a directed graph DGS (cycles and several edges are allowed) and an organization of directed paths in DGS to represent a sequential data for discovering sequential pattern³ from a sequence database. Competent algorithms for constructing the digraph model (DGS) for extracting all sequential patterns and mining association rules are proposed. A number of theoretical parameters of digraph model are also introduced, which lead to more understanding of the problem.

Keywords: sequential pattern, data mining, directed graph, directed path, frequent item, association rule, minimum support.

I. DIGRAPH MODEL FOR SEQUENCE DATABASE

Consider a set of items, $I = \{1, 2, \dots, n\}$. "A sequence, s is any nonempty subset of items in I . A sequence database S is a set of sequences in I . A subsequence $x \subseteq s \in S$ may take place more than once in DGS. We assume that for each $i \in I$, there is at least one sequence $s \in S$ with $i \in S$. In other words $\bigcup_{s \in S} s = I$. A sequence $s \in S$ is said to support a subsequence x , $x \subseteq s$ if $s \subseteq S$. The support of x is defined by $\text{sup}(x) = \frac{|s \in S : x \subseteq s|}{|S|}$. Thus $\text{sup}(x)$ is the

percentage of sequences contains x . If a threshold min_supp is fix, then any subsequence x of s with $\text{sup}(x) \geq \text{min_supp}$ is called a sequential pattern". "An association rule is an implication of the form $x \Rightarrow y$ where $x, y \subseteq S$ and $x \cap y = \phi$. The support of rule $x \Rightarrow y$ is defined to be $\text{sup}(x \cup y)$. The confidence of the rule is defined as $\text{conf}(x \Rightarrow y) = \frac{\text{sup}(x \cup y)}{\text{sup}(x)}$.

The support and confidence values are usually normalized so that these values occur between 0 and 100 instead of 0 and 1.0". Association rules can be generated from the extracted sequential patterns[1][4][8][13]. The sequential pattern mining problem was first proposed by Agrawal[1]. Consider a set of sequences, where every sequence contains a set of subsequence and each subsequence consists of a list of items. For a given user-defined minimum support, the problem of sequential pattern can be defined as the extraction of all the frequent subsequences.

II. DEVELOPMENT OF DIGRAPH MODEL FOR THE SEQUENCE DATABASE, DGS

A method to construct the data model, DGS for a sequence database, S is proposed in this section. This method dynamically constructs the data model DGS by scanning the database only once and at the same time extract a number of factors such as incidence frequency of each node, how many loops are there in each node?, occurrence frequency of each edge, how many edges in DGS?, the highest length of a sequence, and each node's in-degree and out-degree. The algorithm for constructing data model, DGS of a sequence database, initially constructs separate nodes for each item with occurrence frequency 0. Then scanning the sequence database one time and read each sequence S_j and construct the directed route or path representing the sequence in DGS. Let $\langle e_1, e_2, \dots, e_k \rangle$ be a sequence, with k elements e_1, e_2, \dots , and e_k . Each element e_j is an itemset denoted as (i_1, i_2, \dots, i_k) where i_j is an item, $i_j \in I$. An edge (i_j, i_{j+1}) is implemented by linked list. Each node in the linked list has two fields for storing prefix patterns (i_1, i_2, \dots, i_j) , which is name of the edge (i, j) and occurrence frequency of the edge (i, j) . For instance the data model given in Figure 2, the edge (a, b) occurs with label $\langle a(ab) \rangle$ and also with values $\langle ef(ab) \rangle$ indicating that it occurs once as part of the sequences S_{10} and S_{30} .

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These values are stored in memory dynamically. The algorithm for developing the data model DGS is given in Figure1.

A. Algorithm for Directed graph of Sequence Database, DGS

The pseudo code for constructing a directed graph for a sequence database is follows:

Algorithm: DGS, Directed graph of Sequence database

Input: S , Sequence database,

I , set of items

n , items count

m , total sequences

Output:

$f(i)$: frequency of each item

K : Highest Length of a sequence

$N(E)$: Total edges in DGS

$id(i)$: in-degree of a node i .

$od(i)$: out-degree of a node i .

$L_c(i)$: Number of loops at node i .

$InEdge(i)$: Number of distinct edges to node i .

$OutEdge(i)$: Number of distinct edges from node i .

$Label(e_c, i)$: Label assigned to the edge e_c with head i ,

$f(e_c, i)$: frequency of edge e_c with head i and $Label(e_c, i)$

$l(S_j)$: length of sequence S_j (i.e., count of items in S_j)

$E(S_j)$: set of all subsequence in S_j

$N(S_j)$: count of subsequences in S_j

K : Highest Length of sequence

$N(S_j^c)$: Number of items in instances of S_j ;

DGS : The directed graph of the sequence database.

Method:

for each item $i \in I, 1 \leq i \leq n$, **do**

 CreateNode(i);

$f(i) = 0$;

$od(i) = 0$;

$id(i) = 0$;

$InEdge(i) = 0$;

$OutEdge(i) = 0$;

$L_c(i) = 0$; // $1 \leq i \leq n$

$K = 0$

end for

$K = 0$;

for each sequence $S_j \in S, 1 \leq j \leq m$ **do**

$E(S_j) = GetElements(S_j)$; // assigning all elements of S_j to

$E(S_j)$;

$N(S_j) = |E(S_j)|$;

$item = \phi$; $prefix = \phi$; $N(S_j^c) = 0$;

for each element in

$S_j, E_k(S_j) \in E(S_j), 1 \leq k \leq N(S_j)$ **do**

$predecessor = \phi$; $X = \phi$;

for each item $i \in E_k(S_j)$

$N(S_j^c) ++$;

if ($i \notin item$) **then**

$f(i) ++$;

$item = \bigcup \{i\}$;

$X = \bigcup \{i\}$;

else $X = \bigcup \{i\}$;

end if

if ($|E_k(S_j)| = 1$) **then**

$L_c(i) ++$;

if ($L_c(i) = 1$) **then**

 CreateEdge(i, i);

$N(E) ++$;

$f(e_c, i) = 1$;

$Label(e_c, i) = \langle prefix \rangle X : f(e_c, i)$;

$Prefix = \bigcup \{i\}$;

end if

if ($L_c(i) > 1$) **then**

$f(e_c, i) ++$;

end if

$od(i) ++$;

$id(i) ++$;

$InEdge(i) ++$;

$OutEdge(i) ++$;

end if

if ($predecessor \neq \phi$) **then**

if ($X \notin any Label(e_c, i)$) **then**

 CreateEdge($predecessor, i$);

$N(E) ++$;

$f(e_c, i) = 1$;

$Label(e_c, i) = \langle prefix \rangle X : f(e_c, i)$;

$prefix = \bigcup \{i\}$;

$od(predecessor) ++$;

$id(i) ++$;

$InEdge(i) ++$;

$OutEdge(predecessor) ++$;

end if

if ($X \in any Label(e_c, i)$) **then**

$f(e_c, i) ++$;

$od(predecessor) ++$;

$id(i) ++$;

end if

$prefix = \bigcup \{i\}$;

$predecessor = i$;

end for

end for

$I(S_j) = item$;

$L(S_j) = N(S_j^c)$

if ($N(S_j^c) > K$) **then**

$K = N(S_j^c)$;

end if

end for
return DGS

Figure 1 Pseudo code for constructing directed graph of a sequence database, DGS

For example, let the running example adopted in Pei, Han, Behzad Mortazavi, Pinto(2004) database⁹ be a *sequence database* S^{17} , shown in Table1 and *minimum support count* = 2. The list of *items* in the sequence database is, $I = \{a, b, c, d, e, f, g\}$.

Table 1 A sequence database¹⁸

Sid	Sequence
S10	$\langle a(abc)(ac)d(cf) \rangle$
S20	$\langle (ad)c(bc)(ae) \rangle$
S30	$\langle (ef)(ab)(df)cb \rangle$
S40	$\langle eg(af)cbc \rangle$

Consider the sequence $\langle a(abc)(ac)d(cf) \rangle$ has 5 sub sequence: $\langle a \rangle$, $\langle abc \rangle$, $\langle ac \rangle$, $\langle d \rangle$ and $\langle cf \rangle$ where item a and c show more than once in distinct subsequences. It is a *9-sequence* since total 9 instances appearing in that sequence. Support count of a sequence can be calculated as follows: Item a occur 3 times in this sequence so it contributes 3 to the length of the sequence but the whole sequence $\langle a(abc)(ac)d(cf) \rangle$ contributes only one to the support of that sequence¹⁶. Also, sequence $\langle a(bc)df \rangle$ is a subsequence of $\langle a(abc)(ac)d(cf) \rangle$. Since both sequences $S10$ and $S30$ contain sub sequence $x = \langle (ab)c \rangle$, x is a sequential pattern of length 3, that is, *3-pattern*.

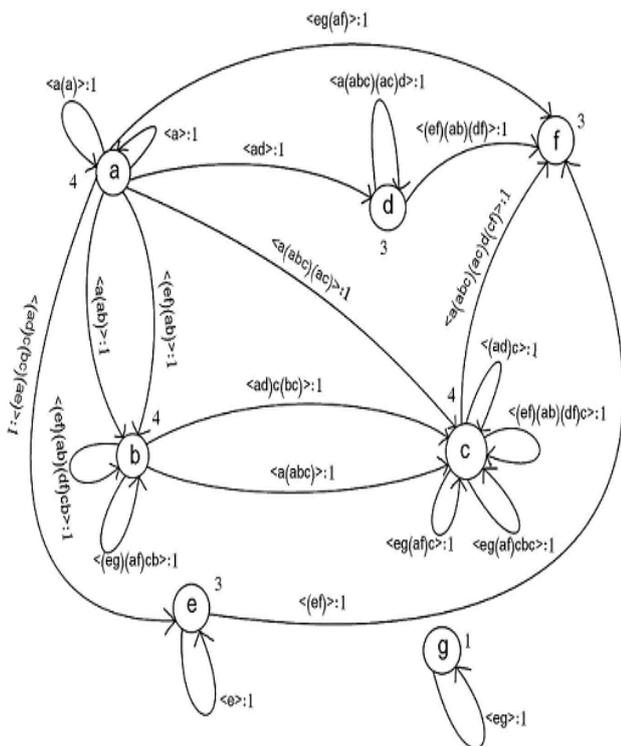


Figure 2 DGS of a sequence database in Table 1

III. MINING OF SEQUENTIAL PATTERNS FROM DGS

In this section, a method for mining all sequential patterns^[12], S_L from DGS is presented. For each node i , the method finds all sequential patterns ends with i . Suppose the number of edges ends on a node i is 0 i.e., $InEdge(i)=0, i\}$ is the only pattern ends with i . Otherwise for each edge e_c with i as head, all subsets, X of $Label(e_c, i)$ such that $|X| \geq 2$ and $i \in X$ are considered. Then the support count of X is the total support counts of all the edges e_c with distinct prefix and i as head for which $X \subseteq Label(e_c, i)$. If this support count is greater than or equal to the minimum support s , then X is included in the list of all sequential patterns. The pseudo code for extracting frequent patterns from a DGS is XoSP is shown in Figure 3.

A. Algorithm for Extracting Sequential Patterns, XoSP

The algorithm for extracting sequential patterns from the directed graph of the sequence database is presented as follows.

Algorithm: XoSP, Extraction of Sequential Patterns from DGS

Input: s : Minimum support threshold.

DGS : a model of sequence database S .

Output: S_L : List of sequential patterns extracted from DGS.

m : Number of sequential patterns.

Method:

$L = \phi, m = 0;$

for each node¹² $i, i \in DGS$ do

if $(f(i) \geq s)$ then

$S_L = \cup \langle i : f(i) \rangle;$

$m++;$

end if

if $(|Edge(i)| > 0)$ then

$f = 0;$

for each $Label(e_c, i)$, as i in last element of edge label do

$f = f(e_c, i);$

$W = Label(e_c, i);$

if $(W \notin S_L)$ then // S_L is the set of patterns already

extracted

for each subsequence, x ends with

$i, x \in W \ \&\& \ x \notin S_L$ do

for each $Label(e_y, i)$ do // other than $Label(e_c, i)$

if

$((x \in Label(e_y, i)) \ \&\&$

$(prefix(Label(e_y, i)) \neq prefix(Label(e_c, i))))$

$f = f + f(e_y, i);$

end if

end for

end for

if $(f \geq s)$ then

$S_L = \cup \langle x : f \rangle$

$m++;$

end if

```

end if
end for
end if
end for
return SL;

```

Figure 3 Pseudo code of *XoSP* for extracting sequential patterns from DGS

The algorithm *DGS* is illustrated with a sequence database consisting of 4 sequences and 7 items shown in Table 1; by applying *XoSP* to the *DGS* shown in Figure 2 all sequential patterns from the nodes of *DGS* have been extracted. The

Node Id	Sequential Patterns	Frequency of the Patterns	Node Id	Sequential Patterns	Frequency of the Patterns		
a	$\langle a \rangle$	4	c	$\langle abc \rangle$	4		
	$\langle aa \rangle$	2		$\langle (abc) \rangle$	2		
	$\langle aba \rangle$	2		$\langle (ab)dc \rangle$	2		
	$\langle ba \rangle$	2		$\langle ac \rangle$	4		
	$\langle ca \rangle$	2		$\langle acc \rangle$	3		
	$\langle aca \rangle$	2		$\langle adc \rangle$	2		
	$\langle a(bc)a \rangle$	2		$\langle bc \rangle$	4		
	$\langle (bc)a \rangle$	2		$\langle (bc) \rangle$	2		
b	$\langle ea \rangle$	2		$\langle bdc \rangle$	2		
	$\langle b \rangle$	4		$\langle dc \rangle$	2		
	$\langle ab \rangle$	4		$\langle eac \rangle$	2		
	$\langle (ab) \rangle$	2		$\langle ebc \rangle$	2		
	$\langle acb \rangle$	2		$\langle ec \rangle$	2		
	$\langle cb \rangle$	3		$\langle efc \rangle$	2		
	$\langle db \rangle$	2		$\langle fbc \rangle$	2		
	$\langle dcb \rangle$	2		$\langle fc \rangle$	2		
	b	$\langle eab \rangle$	2	D	$\langle d \rangle$	3	
		$\langle each \rangle$	2		$\langle bd \rangle$	2	
		$\langle eb \rangle$	2		$\langle ad \rangle$	3	
		$\langle ecb \rangle$	2		$\langle (ab)d \rangle$	2	
		b	$\langle efb \rangle$	2	E	$\langle e \rangle$	3
			$\langle efc b \rangle$	2	F	$\langle f \rangle$	3
			$\langle fb \rangle$	2		$\langle af \rangle$	3
			$\langle fcb \rangle$	2		$\langle (ab)f \rangle$	2
c	$\langle c \rangle$		4	$\langle bf \rangle$		2	
	$\langle cc \rangle$		3	$\langle ef \rangle$	2		
	$\langle a(bc) \rangle$		2				

process of extracting sequential patterns using *XoSP* from a *DGS* is given below:

XoSP algorithm starts from the first node, that is, the node representing the first item in the list of items.¹⁹ For the directed graph *DGS* in Figure 3.13, *XoSP* starts from the node *a*. Frequency of node *a*, $f(a) = 4$ which is more than the minimum support, *s*. So $\langle a \rangle$ is a sequential pattern and is

included in the set of all sequential patterns, S_L . The number of edges of the node *a* can be calculated using the formulae $|Edge(i)| = InEdge(i) + OutEdge(i) - L_c(i)$, where $InEdge(i)$ is the number in-edges of the node *a* and $OutEdge(i)$ is the number of out-edges of the node *a*, and $L_c(i)$ is the number of loops at *a*. Thus $|Edge(a)| = 2 + 8 - 2 = 8$. The *Edge* (*a*) with edge label, $\langle a(a) \rangle \notin S_L$ has frequency 1 and not yet been extracted as a sequential pattern. Let $W = \langle a(a) \rangle$. The subsequence $x \in W$, which ends with item *a* are $\langle a \rangle$ and $\langle a(a) \rangle$. The subsequence $\langle a \rangle$ is already extracted and is contained in S_L . The sequence $\langle a(a) \rangle \notin S_L$. To get the net frequency of $\langle a(a) \rangle$ we have to consider total support count of the edges with different prefix in the edge label and contain $\langle a(a) \rangle$ as the subsequence. One out-edge of *a* with frequency 1, contains $\langle a(a) \rangle$ in its label as a subsequence with different prefix. Hence $f(\langle a(a) \rangle) = 1 + 1 = 2$, satisfying minimum support *s*, so $\langle a(a) \rangle$ is a sequential pattern that can be added to S_L .

For out-edge of node *a* with label $\langle eg(af) \rangle$ and its prefix is $\langle ega \rangle \notin S_L$ and $f(ega) = 1$. Let $W = \langle ega \rangle$. The subsequences, $x \in W$ that ends with *a* are $x = \{ \langle ea \rangle, \langle ga \rangle, \langle ega \rangle \}$. The subsequence $x_1 = \langle ea \rangle \notin S_L$. We can find net frequency of the sub sequence $x_1 = \langle ea \rangle$ by considering total support count of edges of *a* which contain $\langle ea \rangle$ as a subsequence in its label with different prefix. One out-edge of node *a* has $\langle ea \rangle$ as a subsequence in its label with frequency of the edge as 1. Hence the net frequency $f(\langle ea \rangle) = 1 + 1 = 2 \geq s$. So the subsequence $\langle ea \rangle$ is a sequential pattern with frequency 2 and can be added to S_L . For the next subsequence $x_2 = \langle ega \rangle \notin S_L$, and cannot be a sequential pattern since the net frequency of $\langle ega \rangle$ is $f(\langle ega \rangle) = 1$ only. In this manner all the sequential patterns can be extracted from each node in the *DGS*. The set of all sequential patterns along with the respective frequencies mined from all the nodes of *DGS* is given in Table 2.

IV. EXPERIMENT RESULTS

The experimental results on the performance of *DGS* and comparisons with *Prefixspan*, *GSP* and *Freespan* [2][3][6][12] are discussed in this section. It shows that *DGS* producing better results than other previously proposed methods. This approach of mining sequential pattern is efficient and scalable in large databases. It is efficient and scalable for mining sequential patterns in large databases. In this paper, performance of our approach on a sample data set C10T8S8I8[5][7][10] is provided. In this data set the number of items is set to 1000 and there are 10,000 sequences in the data set. The number of items and sequences taken for this data set is 1000 and 10,000 respectively.



The average number of items and subsequences with in elements and sequence are set to 8 and is denoted as T8 and S8. We can increase the number of long sequential patterns when minimum support count is set at low level. The result of our experiment on given data set on scalability with different support count is shown in Figure 3.

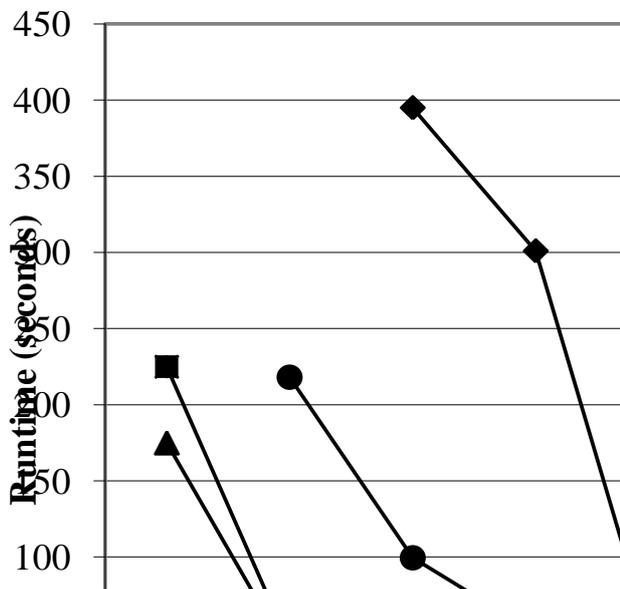


Figure 3 Runtime comparisons among DGS, Prefixspan, GSP and Freespan

When we increase the minimum support count the number of sequential patterns generated is less. As the support threshold decreases the gaps between the runtime of four methods becomes clear. Both *Freespan* and *Prefixspan* are faster than *GSP*. But *DGS* method is more efficient and faster than and more scalable than *Freespan* and *Prefixspan* techniques^{9,11,14,15}.

V. CONCLUSION

The algorithms for mining sequential patterns from big databases are studied and developed by using a new digraph model *DGS*. In this approach no candidates are generated and test approach such as *GSP* and *Prefixspan* are performed. This approach generates a directed graph *DGS* for sequence database and grows sequential patterns through the nodes of the *DGS*. The size of the *DGS* is always less than that of *S*, sequence database. This approach constructs a digraph model, *DGS* while scanning the sequence database *S* first time. No further scanning the sequence database *S* is necessary for extracting sequential patterns. In summary, *DGS* is more efficient and scalable than, *GSP*, *Freespan* and *Prefixspan*.

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