

Robust Bit Error Rate Optimization for MASSIVE MIMOCEM System using Channel Coding Method

G. Jagga Rao, Y. Chalapathi Rao

Abstract— MASSIVE MIMO constant envelope modulation (MASSIVE MIMOCEM) is offered as promising opportunity contender for the usually worn MIMO-OFDM system owing to its terrific functionality in together of power and intricacy. This enhancement in an overall recital is won because of the usage of the proficient nonlinear power amplifier at transmitter facet and one-bit ADC sampled at the intermediate frequency in the receiver facet. On the other hand, regardless of devices design offers stumpy power intake and occasional layout intricacy; a tremendous diminution in BER recital is brought. This was an outcome of the use of one-bit Analog-Digital-Converter sampled inside intermediate frequency which induced extreme quantization-noise. Consequently, the appropriate channel coding approach turns out to be anticipated to conquer this BER presentation dilapidation.

In this article, a discriminatory channel-coding technique is calculated for MASSIVE MIMOCEM machine is carried out to advance high bit error-rate dilemma of the MASSIVE MIMOCEM system. The assessment of this has a look at becomes accomplished over a multipath Rayleigh fading channel with each MSK modulation and GAUSSIAN-MSK modulation. The simulation effects display a tremendous development in the bit error rate performance at low values of SNR while low weight parity check channel-coding is used, whilst the Convolutional Code along with Viterbi Decoder achieve pleasant BER recital at large Signal to Noise Ratio values and for low and high SNR's the Successive BCH algorithm is used.

Keywords—LWPC Code; MASSIVE MIMOCEM; one-bit Analog to Digital Converter (ADC); Viterbi Decoder code (VDC).

I. INTRODUCTION

The constant disadvantages of generally utilized MIMO-OFDM framework are the high PAPR. Henceforth, a productive power-amplifier (PA) like class A or class AB ought to be utilized for stay away from flag mutilation which create MIMOOFDM framework contain severe power utilization [1]. In addition, that, MIMOOFDM recipient (RX) utilizes a large goals ADC [2] which builds computational intricacy and the general power utilization too [2]. Hence, 2-major straggles confront the plan of enormous MIMO twigs for OFDM framework; power utilization and immense computational multifaceted nature [2].

In this way, MASSIVE MIMOCEM framework was presented as promising elective contender to the MIMOOFDM framework to conquer its downsides [2-4]. Thus, in MASSIVE MIMOCEM framework spreader, a non-linear stage modulator is utilized while one-bit ADC working in the IF recurrence is utilized in the recipient side. In this manner, a proficient PA can be executed, i.e. Class-

C, in the beneficiary side rather than the straight Class-A power amplifier which in usually utilized with MIMO_OFDM frameworks. This change accomplishes a noteworthy decrease in power utilization contrasting with other MIMOOFDM frameworks [2-4]. Another preferred standpoint is picked up through scarifying the majority of simple stages as AGC, blender and simple channels in the collector side because of utilizing the one bit ADC [2]-[4].

Along with that, because of utilizing the one-bit-ADC additionally, large MIMO twigs can be executed for this MASSIVE MIMOCEM framework intended for MIMOOFDM framework [5], [6]. Additionally, there is another advantage because of the framework's capacity and multifaceted nature proficiency which thinks about enhancing ghostly effectiveness for MASSIVE MIMOCEM framework contrasting with MIMOOFDM framework [5], [6]. Regardless of all the past referenced focal points, MASSIVE MIMOCEM framework experiences high computerized equipment intricacy in the collector side, this is an aftereffect of utilizing the one-bit ADC which cause extreme nonlinear quantization commotion [2]-[4]. Be that as it may, modern DSP procedures are required to beat this downside [3], [4], [9], [10]. Subsequently, the viable use of MASSIVE MIMOCEM framework still battles with non-linear quantization commotion caused via the one bit ADC [9]-[11].

The remaining paper is sorted out as pursued: Constant Envelop Modulation is presented in segment II and MASSIVE MIMOCEM is described in segment III. While segments IV, V, and VI give an outlined presentation on most realized channel-coding strategy; Viterbi-decoder [13], the LWPC codes [12], [14] and successive BCH respectively. In segment VII, the framework execution is assessed. At long last, area VIII gives conclusion to paper.

II. CONSTANT ENVELOP MODULATION

The CEM involves Phase Modulated flag at the transmitter. This enhances the power productivity of a power enhancer as the sufficiency is steady in PM flag and the flag can be changed over into recurrence area.

In mainstream dynamic exchange work isn't a prompt line. Nonlinearity emerges as static yield characteristics aren't equidistant straight follows for consistent enter increases. Bending of this sort is nonlinear or plenty fullness twisting.

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The extraordinary kinds of intensity intensifiers are Class A, Class B, Class AB, and Class c. The change effectiveness is a proportion of the capacity of a fiery instrument to change over the dc vitality of the supply into air conditioning signal power added to the weight. This is additionally alluded to as gatherer circuit effectiveness.

$$\eta = \frac{\text{power delivered to load}}{\text{power supplied to the output load}} \times 100$$

For Class A power intensifier, $\eta = 25\%$ which is a poor decision for power enhancement. For Class B push-pull control intensifier $\eta = 78.5\%$. Be that as it may, Class C control enhancer is helpful since one can work at the transistor's pinnacle current rating.

At the point when FM flag or any flag in which the data isn't contained in abundance, is to be intensified, straight intensifier, for example, Class C is a great choice. [15] Now the power speaker stage can be intended for enhanced linearity and power proficiency. At the beneficiary, CEM control utilization is significantly decreased and is a straightforward circuit without the requirement for Automatic Gain Control (AGC). Consequently, the CEM can be stretched out for MIMO.

The OFDM in MIMO has the burdens of displaying commotion like insights with high PAPR, utilization of high power at RF and ADC (Analog to Digital Converter) stages and direct power wasteful power enhancer arrange.

III. MIMO CONSTANT ENVELOPE MODULATION (CEM) SYSTEM

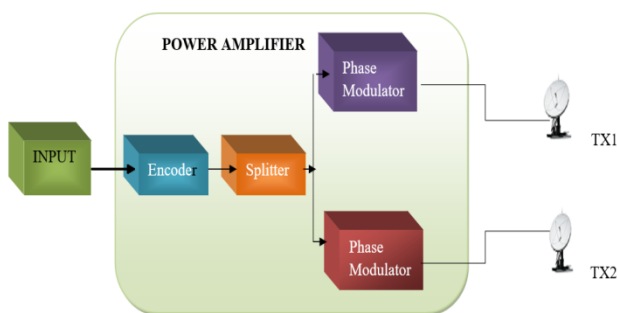


Fig1: MASSIVE MIMOCEM Transmitter

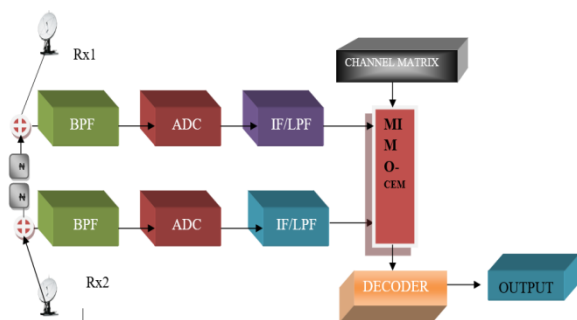


Fig2: MASSIVE MIMOCEM Receiver

To beat the weaknesses of OFDM-MIMO handset, MASSIVE MIMOCEM handset can be utilized. The transmitter is permitted to utilize nonlinear Power Amplifier at the transmitter to diminish false transmissions.

In the transmitter paired information is encoded by the encoder to improve BER. At that point, this encoded

information is part into the number equivalent to numerous transmitting antennas, two in our precedent. CEM PM Modulator results in the consistent envelope of the encoded flag.

The LPF output:

$$Y_i = \text{lpf} \left(\Omega \left(\hat{R} \left((\psi_i + N_i) e^{j2\pi f_{IF} t} \right) \right) e^{-j2\pi f_{IF} t} \right), 1 \leq i \leq \omega_r \quad (1)$$

$$\psi_i = \sum_{j=1}^{u_t} H_{i,j} X_j \quad (2)$$

Where LPF is a digital-low pass filter, Ω is hard-limiter lying on the received signal, which is articulated as:

$$\Omega(z) = \begin{cases} 1, z \geq 0 \\ -1, z < 0 \end{cases} \quad (3)$$

$\hat{R}()$ denotes the part which consists of real, N_i is additive white Gaussian noise, f_{IF} is intermediate-frequency, u_r & u_t are no. Of receive and transmit antennas correspondingly, X_j is complex-baseband Transmitting signal (MSK/GAUSSIAN-MSK) from Transmitting antenna j and $H_{i,j}$ is the Toeplitz-matrix of channel with the he size $B \times B$ as of the spread antenna j to the collect antenna i .

$$\begin{bmatrix} h_{ij0} & 0 & 0 & \dots & 0 & 0 \\ h_{ij1} & h_{ij0} & 0 & \dots & 0 & 0 \\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots \\ h_{ij(u-1)} & h_{ij(u-2)} & h_{ij(u-3)} & h_{ij(u-4)} & \dots & 0 \\ 0 & h_{ij(u-1)} & h_{ij(u-2)} & h_{ij(u-3)} & \dots & h_{ij0} \end{bmatrix} \quad (4)$$

Where, $H_{ij} = [h_{ij0} \ h_{ij1} \ h_{ij2} \ \dots \ h_{ij(u-1)}]^T$ indices the multi-path channel-vector of length U .

$X_j = [X_j(0), X_j(1) \ \dots \ X_j(B-1)]^T$ and $Y_j = [Y_j(0), Y_j(1) \ \dots \ Y_j(B-1)]^T$ are vectors consisting of transmitted brook from reception the antenna to receiving antenna j and got stream I individually. Be that as it may, the key thought behind the structuring of the MASSIVE MIMOCEM framework is to enhance the framework control productivity by utilizing CEM at Transmitter and to loosen up the simple unpredictability at the Receiver side by utilizing the one-bit ADC [2]. Subsequently, a more test will be included computerized flag handling part in the MASSIVE MIMOCEM receiving to naturalize effect of one-bit-ADC [2-4], [9], [11].

IV. VITERBI DECODER

The convolutional coder is viewed as Forward error correction codes which presented by Peter Elias in 1955 [13]. CC produces parity check images by utilizing the sliding utilization of the Boolean polynomial (BP) capacity to an information brook.

This descending nature of convolutional codes disentangles unraveling procedure utilizing trellis. Along these lines, the convolution codes can be the greatest probability delicate choice decoded with sensible intricacy.

The likelihood of the Viterbi estimation is to find the certainly course of action in of covered states this is called Viterbi way that results in a progression of watched events, especially with respect to Markov data sources and covered Markov models [13].



The deciphering computation uses two estimations: the branch metric (BM) and the way metric (PM). The branch metric is an extent of the "isolated" between what was transmitted and what was gotten and is described for every round portion in the trellis. In hard decision disentangling, where we are given a gathering of digitized uniformity bits, the branch metric is the Hamming separate between the typical fairness bits and received ones.

V. LOW WEIGHT PARITY CHECK (LWPC) CODES

Low thickness equality check codes are straight square codes acquired from extras bi-partite charts. The producer grid G and extras equality test lattice H are viewed as the core of LWPC codes and them able to be characterized as:

$$C \cdot H^T = 0 \quad (5)$$

Where C is the codeword $C=(c1,c2,c3,....cn)$ along length n which is generated by $n \times k$ generator matrix G.

$$C = u \cdot G \quad (6)$$

Where, $u=(u1,u2,.....uk)$ is the message with length k.

The interpreting procedure of LWPC codes are a contrast from another square codes Maximum Likelihood deciphering calculations are ordinarily worn to decoded conventional square codes. Along these lines, the code word length is planned right away with the uncommon numerical requirement to disentangle the translating procedure. Moreover, LWPC codes utilize iterative calculation amid the deciphering procedure by means of graphical documentation of their equality test lattice. Accordingly, the equality check framework's qualities organize the plan of LWPC codes. Message passing calculations are disentangling calculations these are utilized in deciphering LWPC codes [14].

VI. SUCCESSIVE BOSE-CHAUDHURI-HOCQUENGHEM

The Bose-Chaudhuri-Hocquenghem (BCH) codes profile an expansive group of amazing random error redressing cyclic codes. This group of codes is a surprising assumption of the Hamming-code for different mistake amendment. We just consider paired successive BCH codes in this address note. Non-twofold BCH codes, for example, Reed-Solomon codes will be examined in the next address note.

For all positive numbers $n \geq 3$ and $d < 2n-1$, there exists a successive BCH code with the accompanying parameters: Square length: $m = 2n - 1$, Number of equality check digits: $m - k \leq nd$ and Least separation: $in \geq 2d + 1$. The successive BCH coding gives best results for MIMO systems because the least separation is very accurate compared to remaining methods.

VII.SIMULATION RESULTS

In this area, the execution of MIMO and MASSIVE MIMOCEM frameworks is assessed under Viterbi decoder and LPWC codes along recreation parameters recorded in TABLE 1. In any case, MIMO and MASSIVE MIMOCEM frameworks are tried with various direct coding strategies in two diverse balance procedures i.e. MSK/GAUSSIAN-MSK tweak.

TABLE 1: Simulation parameter

Parameters	Existing method	Proposed method
No. of bits	10 ³	10 ⁵
Channel length	32	64
SNR (dB)	15	20
Receivers	4	12
Transmitters	4	12
Channel size	32	64
Modulation	BPSK	MSK & GAUSSIAN-MSK
Channel	AWGN	Rayleigh
Technique	MIMO-OFDM	MIMO-CEM

A. Bit-Error-Rate Performance of MIMOCEM model

The Bit-Error-Rate execution of the MIMOCEM framework is tried along both convolutional encoders with a delicate Viterbi decoder, delicate LWPC, and successive Bose-Chaudhuri-Hocquenghem codes with the nearness of a Rayleigh blurring channel with MSK and GAUSSIAN-MSK regulation for BT = 1.0& .3.

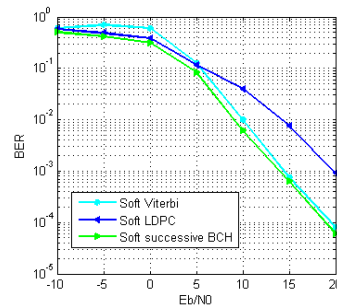


Fig.3. BER exhibitions of MIMOCEM framework utilizing MSK

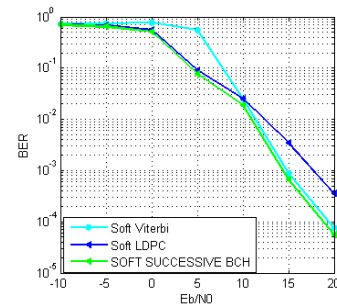


Fig.4. BER exhibitions of MIMOCEM framework utilizing GAUSSIAN-MSK with BT = 1.0

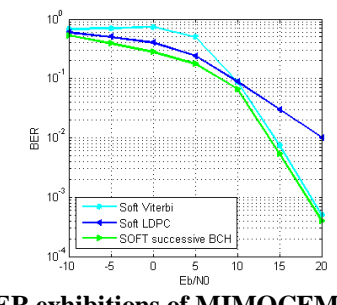


Fig.5. BER exhibitions of MIMOCEM framework utilizing GAUSSIAN-MSK at BT = .3



B. Bit-Error-Rate Performance of the MASSIVE MIMOCEM system

Here, BER (Bit Error Rate) execution is inspected utilizing the equivalent previously mentioned channel coding methods for a 12*12 MASSIVE MIMOCEM framework in the nearness of Rayleigh blurring channel along blurring parameters recorded in table-1. Fig-6, Fig.-7, and Fig-8 delineate the BER execution for the examined MASSIVE MIMOCEM framework. It appears in the previously mentioned assumes that delicate successive BCH framework overcomes the customary framework.

Besides, as appeared in Fig. 6, the MASSIVE MIMOCEM framework coded with delicate LWPC accomplished a 3 dB over the customary MASSIVE MIMOCEM delicate Viterbi framework at Bit-Error-Rate = 10^{-1} . Nonetheless, the BER execution of the regular MASSIVE MIMOCEM framework enhanced over the successive BCH coded MASSIVE MIMOCEM for SNR esteems above 10 dB. Therefore, the BCH could be utilized in the MASSIVE MIMOCEM framework at lowest Signal to noise ratio values i.e. $SNR \leq 10$ dB.

Besides, for the MASSIVE MIMOCEM with GAUSSIAN-MSK balance at $BT=0.3$, the delicate successive BCH gives better BER results.

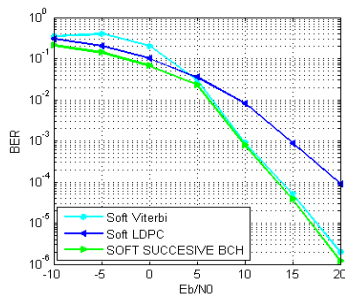


Fig. 6. BER exhibitions of MASSIVE MIMOCEM framework utilizing MSK

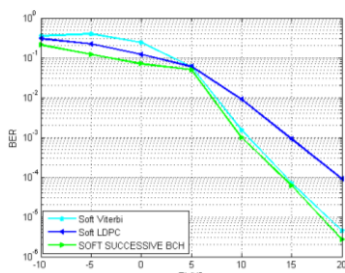


Fig. 7. BER exhibitions of MASSIVE MIMOCEM framework utilizing GAUSSIAN-MSK with $BT = 1.0$

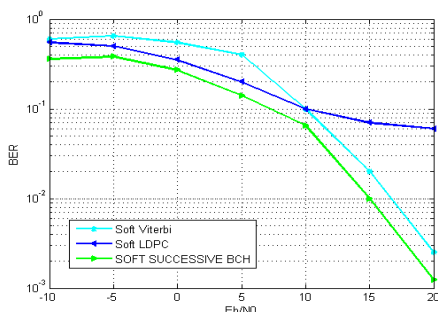


Fig. 8. BER exhibitions of MASSIVE MIMOCEM framework utilizing GAUSSIAN-MSK at $BT = .3$

VIII. CONCLUSION

Here, the bit error rate execution of MIMO/MASSIVE MIMOCEM framework is considered by means of various channel coding procedures like delicate low weight parity check, Viterbi decoder and successive BCH which is utilized with the traditional MIMO and MASSIVE MIMOCEM. As per outcomes, the MIMO or MASSIVE MIMOCEM with delicate low weight parity check (LWPC) coding procedures gives the most excellent BER implementation at small SNR values, whereas MIMO or MASSIVE MIMOCEM along delicate Viterbi provides the better BER execution at large Signal to Noise Ratio values. Among these two, the successive BCH gives excellent results for both at high and low SNR's.

The general MIMO or MASSIVE MIMOCEM framework BER execution can be enhanced by utilizing a versatile SNR base channel coding method that chooses the appropriate channel coding strategy contingent upon the got flag SNR to accomplish the ideal coding addition to loosen up the MIMO/MASSIVE MIMOCEM disadvantage caused by utilizing of the one-bit ADC at receiver facet.

Execution of the delicate LWPC decoder can be enhanced utilizing bigger password (codeword) length however this will build the general framework multifaceted nature, so a tradeoff examine between framework unpredictability and BER execution must be finished.

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