Partial Selection Method and Algorithm for Determining Graph-Based Traffic Routes in a Real-Time Environment

A.X.Nishanov, E.Sh. Avazov, B.B. Akbaraliyev

Abstract: In this paper discussed how to determine traffic-dependent traffic-oriented traffic in real-time. The partial selection method is presented in the algorithm. The main aspect of partial selection is that the focus is on selecting the graph widths on an informal basis. The developed algorithm is presented as pseudo code.

Keywords: Real time environment, partial selection, the shortest path problem

I. INTRODUCTION

In developed countries a special attention is paid to the solution of the problem of dataflow full control in telecommunication networks in real time, implementation of automated information systems in particular spheres and the expansion of their existing capabilities. Development of dataflow control system due to the increasing number of users in the network and emergence of various types of traffics has become one of the most important problems today.

The solution of problems refers to traffic control, i.e. traffic map, the determination of spare nodes by results of determination of the optimal traffic routing in the network.

The problem of constructing of a traffic network map of geo-location and determining of the spare traffic network nodes, intellectual analysis of information, doing researches using automated systems are carried out in developed countries in this sphere, such as the USA, South Korea, Russia, Denmark, Japan, Spain, Germany, Great Britain, France and Uzbekistan.

Traffic control system is similar to the control system of transport facilities of a big city. Problems for both of them are considered to be the same. Firstly, it is distribution of the flow; secondly it is the violations of traffic rules.

Emergence of terms of traffic control in networks is explained as following:

- Discontinuity of the traffic;
- the diversity of the quality requirements of information transfer of different types;
- Nonstationary of traffic network, i.e. randomness.
- Emergence of reload and lockout in network as the result of non stationary of traffic network.

Revised Manuscript Received on December 22, 2018.

A.X.Nishanov, Software engineering department of Tashkent University of Information Technologies named after Muhammad al-Khwarizmi, Uzbekistan

E.Sh. Avazov, Telecommunication and vocational training department of Urgench branch Tashkent University of Information Technologies named after Muhammad al-Khwarizmi, Uzbekistan

B.B. Akbaraliyev, Software engineering department of Tashkent University of Information Technologies named after Muhammad al-Khwarizmi, Uzbekistan

Mentioned above conditions in computer networks cause the appearance of problem of discontinuity traffic control and lead to necessity of solution the following problems:

- 1. insurance of reliability of information transfer, i.e., deliver information to subscribers without loss;
- 2. effective use of expensive technical equipment in the network, i.e., regular distribution of information flow in the network while adaptive routing process;
- 3. Reduction of transmission time in the network, especially while transmitting multimedia;
- 4. To avoid the reload and to prevent lockout in traffic networks.

Algorithm of finding traffic routes with dynamic parameters in real time environment and elaboration of partial selection method based on graph in solution of traffic route problems in limited life is one of the most important problems of traffic engineering in communication networks.

II. PARTIAL SELECTION METHOD OF CHOOSING OF INFORMATIVE EDGES OF THE GRAPHFOR DETERMINING L NUMBER TRAFFIC ROUTES

Let us assume that multiparameter G=(V,E) graph is given and enter Boolean vector, which means existing of all completed routes $\lambda_p = (\lambda_p[1] \ \lambda_p[2] \dots \lambda_p[m])$, if the value oficomponent of Boolean vector λ_p is equal to one, then it means that presence of e_i edge of graph in P route compound, but if noti.e. the value ofi-component is equalto zero , then it means absence of e_i edge in P route compound.

Let us assume, the assessmentcriteria of P route quality which is related toBoolean vector is defined as following:

$$I(\lambda_p) = \frac{\sum\limits_{i=1}^{m} a_i \cdot \lambda_p[i]}{\sum\limits_{i=1}^{m} b_i \cdot \lambda_p[i]}$$

the value of edge $I(\lambda_p)$ is explained as quality criteria of Prouting. The greater the value of the function, the better the selected route is. The optimistic view of this is expressed in the following way, it is necessary to find $\exists \lambda_p$ solution,

$$I(\lambda_p) = \frac{\sum\limits_{i=1}^{m} a_i \cdot \lambda_p[i]}{\sum\limits_{i=1}^{m} b_i \cdot \lambda_p[i]} \rightarrow \max_{\lambda_p} \quad (1).$$

Let Optimization problem have a solution.

Here, each i edge corresponds to a_i and b_i , $\overline{1 \le i \le m}$ components of a and b vectors, the



following $a_i \ge 0$ and $b_i > 0$, $\overline{1 \le i \le m}$ is required for the values of these components.

So, while a_i component increases the quality of e_i graphic edge, the b_i component reduces its quality, which means that, the values of e_i graph determine the overall traffic quality.

Let's defineset λ_p of all available traffic routes through Λ^p on the given graph. Then $\lambda_p \in \Lambda^p$ expression will be appropriate.

Task. It is required to find Lnumber of the most perfect traffic routes for optional nodes (three) of the graph among all $\lambda_n \in \Lambda^p$ traffic routes.

In order to solve the problem, $I(\lambda_p)$ functional values are calculated using all the elements of the set and they are sorted by reduction and the first L numbers are taken and serve as a solution to the task with λ_p s representing the route.

This is a complete selection method and it is a functional value for all λ_p s. As the number of edges increases, the number of elements in the set λ_p increases as the geometric progression. Using of this method is appropriate and a perfect solution to the problem is found in the presence of a small amount of graph edges in traffic route.

The most important part of the optimization problem in determining the above mentioned traffic routes is to complete Λ^p set. This set creates a base of traffic routes. That is why our main task is to complete this set.

Let us make the following definition : $c^{j} = \frac{aj}{bj}$.

1) As $c^j \in R$, $j = \overline{1,N}$ (R is a set of concrete numbers) $c = (c^1, c^2, c^3, \dots, c^N)$ vector components can be arranged in ascending order (because R is as equential set).

2) Thus,

$$(c^1, c^2, \dots, c^N) \rightarrow (c_1, c_2, \dots, c_N)$$
 is, $\forall_i (i = 1, \overline{N-1})$ is for $c_i \le c_{i+1}$.

3) $c = (c_1, c_2, ..., c_N)$ Using vector components, we create the following sequences::

$$f_1 = \sum_{i=1}^{l} c_1, f_2 = \sum_{i=2}^{l+1} c_i, \dots, f_k = \sum_{i=k}^{l+k-1} c_i$$

$$l+k-1 = N \Rightarrow k = N-l+1. \text{Is.}$$

Thus if $z \ge 2$ is $f_z = f_1 + \sum_{i=1}^{z-1} (c_{i+1} - c_i)$.

If we consider f as function of k, that is, if we consider as $f_k = f(k)$, the following confirmation will be appropriate.

Confirmation 1. f(k) growth function. Proof:

Ink \geq 3that is enough to show that $f(k-1) \leq f(k)$ $f(k-1) \leq f(k) \Leftrightarrow f(k) - f(k-1) \geq 0$,

$$f(k) - f(k-1) = f_1 + \sum_{i=1}^{k-1} (c_{i+1} - c_i) - \left[f_1 + \sum_{i=1}^{k-1} (c_{i+i} - c_i) \right]$$

$$= c_{i+k-1} - c_{k-1}$$

As it is known,

 $that \forall_i for c_{i+1} \geq$

$$c_i \Rightarrow c_{l+k-1} - c_{k-1} \ge 0 \Rightarrow f(k-1) \le f(k)$$

Confirmation 1 has been proven.

Property 1. $\forall \lambda \in \Lambda^l$ is for $f_1 = \min(c, \lambda)$.

Confirmation 2. $\Lambda^{l}(c) \neq \emptyset$ if only if $f_1 \leq c_0$ is.

If it is $\Leftarrow f_1 \leq c_0$, i.e $f_1 = s \sum_{l=1}^l c_l = c_1 + c_2 + \cdots c_l \leq c_0$, then $\lambda = (\lambda_1, \lambda_2, ..., \lambda_l, \lambda_{l+1}, ..., \lambda_N)$ The initial λ number components of the vector $(\lambda_1 = \lambda_2 = ... = \lambda_l = 1)$ is one, let suppose the rest of them $(\lambda_{l+1} = \lambda_{l+2} = ... = \lambda_N = 0)$ are equal to zero, $\lambda \in \Lambda^l$ and $(c, \lambda) = f_1 \leq c_0$. From that we get $\Lambda^l(c) \neq \emptyset$.

Confirmation2 has been proven.

3) now we will findk which will be $c_0 - f_k \ge 0$.

Note. If $c_0 - f_k \ge 0$ is, then it will be $\Lambda^l(c) \equiv \Lambda^l$. Property 2. If $c_0 - f_1 \ge 0$ and $c_0 - f_{N-l+1} < 0$ is, $\exists p \in \overline{1, N-l+1}$ will be found as

$$\begin{cases} c_0 - f_p \ge 0 \\ c_0 - f_{p+1} < 0 \end{cases}$$

Proof:

Let's imagine the opposite, then for the optional $p \in \overline{1, N - \lambda + 1}$ will be

$$\begin{cases} c_0 - f_p \ge 0 \\ c_0 - f_{p+1} < 0 \end{cases} \text{ or } \begin{cases} c_0 - f_p \ge 0 \\ c_0 - f_{p+1} \ge 0 \end{cases}$$

Consequently, when p=1 or p=N-*l*+1this indicates that the property condition is corrupted. We come across with a conflict.

It means that our assumption is not right. From this, we come to the conclusion that, there is p where the property above is appropriate.

Now, let's see how to find this p. To do this, we use({1, 2, ..., N- λ +1}) the bisection scaling method , i.e. , $p1 = \left\lceil \frac{N-l+1+1}{2} \right\rceil$ that is where [*] is the integer. Then $c_0 - f_{p_1}$ value is checked, if $c_0 - f_{p_1} < 0$ is $p_2 = \left\lceil \frac{p_1+1}{2} \right\rceil$ otherwise we take it as $p_2 = \left\lceil \frac{N-l+1+p_1}{2} \right\rceil$. If p_1 is produced after doing this work several times repeatedly, and there will be $r_0 - f_m \ge 0$. We proof property completely, if we take it as $r_0 = p$. Property 2 has been proven.

If we take $S = \{c_1, c_2, ..., c_l, ..., c_{l+p-1}\}$ as a set, the sum of the optional λ number elements of this set is smaller than c_0 , according to the proven property.

4) At this $(c_1, c_2, ..., c_l, ..., c_{l+p-1})$ stage, we define the largest component of the vector that can be involved in the problem.

To do this, we'll consider the following system:

$$\begin{cases} f_0 + c_j \leq c_0 \\ f_0 + c_{j+1} > c_0 \end{cases}, j = \overline{l, N-1}$$
 here $f_0 = \sum_{i=1}^{l-1} c_i$.



If C_q (q<N) is a solution of the system, then we deny $c_{q+1}, c_{q+2}, \ldots, c_N$ values corresponding to the quantities and decrease the starting point spacemeasuring to q, i.e. we go to the space $R^N \to R^q$.

$$c \in R^q, a \in R^q, b \in R^q (q \ge l)$$
and $\Lambda^l = \{\lambda \in R^q : \lambda^i \in 0; 1i = 1q\lambda i = l\}$

5) Now, we divide Λ^l set in such a section so that the resulting optional part is $\lambda \in \Lambda^l_i(C) \subseteq \Lambda^l$ for $(c, \lambda) \leq c_0$ vector derived from the set. Such partitions are generated as follows.

Through f_k^j function we define that only the last member j $(j \le \lambda - 1)$ of f_k is not present.

$$\begin{cases} f_{p-1}^{j} + \sum_{z=1}^{j} c_{t_{z}} \leq c_{0} \\ f_{p-1}^{j} + \sum_{z=1}^{j-1} c_{t_{z}} + c_{t_{j+1}} > c_{0} \end{cases} i = \overline{0, p-1}; j = \overline{1, ; -1}, \text{here} t_{z} \geq p-i+l-j-1; t_{z} < t_{z+1} \leq k.$$
 Note: If $t_{z} = k$ in the above system, then we will stop in-

creasing the value of i for the fixed j.

Let's consider all C_i s that can be involved in solving the problem as an elements of the S * set.

In this case if we solve the system above separately for each pair of $\tilde{\boldsymbol{\ell}}$ and j, then S * will be divided into such partitions(the number of elements is not less than λ), where the sum of any λ optional from these sections will be smaller than s0.

In line with these partitions we create $\Lambda_h^l(c)(\bigcup_h \Lambda_h^l(c)) = \Lambda^l(c)$ and we form R^q dimensional character space as a new sectional space corresponding to each $\Lambda_l^l(c)$ of the character space.

The equivalent of the task(1) given above will be produced from it. .

$$\begin{cases} J_i(\lambda) = \frac{(a,\lambda)}{(b+c,\lambda)} \to max \\ \lambda \in \Lambda_h^l(c) \end{cases}$$
 (2)

Here(*,*) is scalar multiplication of of the vectors, if we find perfect solution of(2) λ_i for each h, then the solution of the task(2)will be defined as $J(\lambda) = \max J_h(\lambda)$ and graphs edges corresponding to components of λ vector which differ from zero form the most informative graph edges.

III. SEPARATION ALGORITHM FOR THE AMOUNT USED INSOLUTION OFPROBLEMS

Step I.Given values: λ - number of required characters; N- number of allcharacters; s - N dimensional vector; c_0-s0 is the quantity of the amount with limited resource.

Step $\text{II.}\sum_{i=1}^{l}c_i$ the value is calculated and compared to $\text{s0.If}\sum_{i=1}^{l}c_i \geq c_0$ the case is not solved, the process will be completed.

Step III. Let's take it as q=l.

Step IV. Checking of the term $\sum_{i=1}^{l-1} c_i + c_q \le c_0$

Step V. If the above term is performed, q=q+1 will be retrieved and return to step IV.

Step VI. $S=\{c_1,c_2,\dots,c_l,\dots,c_q\}$ set of all funds, which will participate. We go to $R^N\to R^q$.

Step VII.

$$\begin{cases} f_{p-1}^{j} + \sum_{z=1}^{j} c_{t_{z}} \leq c_{0} \\ f_{p-1}^{j} + \sum_{z=1}^{j-1} c_{t_{z}} + c_{t_{j+1}} \leq c_{0} \\ i = \overline{0, p-1}; \ j = \overline{1, l-1}, t_{z} \geq p-i+l-j-1; \\ t_{z} < t_{z+1} \leq k \end{cases}$$

. System above will be solved for each i and j and defined sections of S *.

Step VIII $\Lambda_h^l(c)(\bigcup_h \Lambda_h^l(c) = \Lambda^l(c))$ is produced.

The problem solving algorithm

Step I. Given values: λ is required traffic routes; N is a number of all traffic routes; a, b, c are m dimensional vectors; c_0 is the amount of allocated resources; $\Lambda_h^l(c)$ is a set of vectors.

Step II.

$$\begin{cases} I_i(\lambda) = \frac{(a,\lambda)}{(b,\lambda)} \to \max \\ \lambda \in \Lambda_i^l(c) \end{cases}$$

is calculated.

Step III. taken as $I(\lambda) = I_1(\lambda)$.

Step IV. we take it as i=i+1.

Step IV . $I(\lambda)$ is compared to $I_i(\lambda)$. If $I(\lambda) \leq I_i(\lambda)$, it is considered as $I(\lambda) = I_i(\lambda)$ and return to Step IV . Step V . $I(\lambda)$ exit parameter.

REFERENCES

- Nishanov A.H., Akbaraliev B.B., Husainov N.O. Tasvirlarn aniqlashda belgilarni mablag'ga bog'liq holda tanlash uchun -informativ belgilar fazosini qurish algoritmi // "Informatika va energetika muammolari" O'zbekiston jurnali, Toshkent, 1999 y, 2-son, b.10-15.
- Nishanov A.H., Akbaraliev B.B., Husainov N.O. Cheklanagan mablag'ga bog'liq informativ belgilarni tanlash usuli // O'zR FA Ma'ruzalari, 3-son, 1999 y. b. 16-19.
- Zegura, EW; Calvert, KL; Donahoo, MJ. A quantitative comparison of graph-based models for Internet topology. IEEE-ACM TRANSACTIONS ON NETWORKING. Vol: 5. Release: 6. Pages.:770-783 Published: Dec 1997.
- Bertsimas, D; Chervi, P; Peterson, M. Computational approaches to stochastic vehicle routing problems. TRANSPORTATION SCIENCE.Vol: 29.Release: 4.Pages.:342-352 Published: Nov 1995.
- Xu, SZ; Li, LM; Wang, S. Dynamic routing and assignment of wavelength algorithms in multifiber wavelength division multiplexing networks. IEEE JOURNAL ON SELECTED AREAS IN COMMUNICATIONS. Vol: 18. Release: 10. Pages.: 2130-2137. Published: Oct 2000.
- Kahng, AB; Mandoiu, II; Zelikovsky, AZ. Highly scalable algorithms for rectilinear and octilinear Steiner trees. ASP-DAC 2003: PROCEEDINGS OF THE ASIA AND SOUTH PACIFIC DESIGN AUTOMATION CONFERENCE. Pages.: 827-833. Published: 2003.
- Batayneh, Marwan; Schupke, Dominic A.; Hoffmann, Marco; and others. On Routing and Transmission-Range Determination of Multi-Bit-Rate Signals Over Mixed-Line-Rate WDM Optical Networks for Carrier Ethernet. IEEE-ACM TRANSACTIONS ON NETWORKING. Vol: 19. Release: 5. Pages.: 1304-1316. Published: Oct 2011.
- Panayiotou, Tania; Ellinas, Georgios; Antoniades, Neophytos. Hybrid graph-based multicast traffic grooming in metro networks with qualityof-transmission considerations. PHOTONIC NETWORK COMMUNICATIONS. Vol. 32. Release: 1.Pages.:142-159. Published: Aug 2016.

