

Active and Reactive Power Control of Dcig Wind Power System using Evolutionary Algorithm Based Fraction Order Controllers.

M.Vasavi Uma Maheswari, P.V.Ramana Rao

Abstract—This paper commences an exalted control scenario for Wind Energy Systems(WES) adopting Doubly Cater Induction Generator (DCIG) . A vigorous Ant Lion Optimizer(ALO) technique is assented with a Fractional Order PI assessor to optimize the powers and to lift the aggressive performance of WES[2][3]. The enforcement and adequacy of ALOFOPI assessor shows amusing countenance in terms of blather devaluation confined concurrence time and hefty against specifications[1]. The proposed ALOFOPI algorithm shows a great convergence and enhanced stability.

Keywords: Wind Energy Systems(WES),Doubly Cater Induction Generator(DCIG), Ant Lion Optimizer(ALO), Fractional Order PI assessor(FOPI), PI assessor.

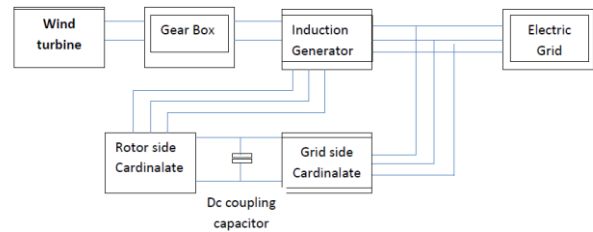


Fig1:Block diagram of DCIG system

I. INTRODUCTION

As Wind Energy(WE) is a continual reserve with no ammunition charge and no consumptive debate gases and are originated consequently[3]. WE is the backup for exploring and evolution of power generation. The wind is an innate development against many causes allying climate disparities, barometrical pressures and the earth radiation fogs. The above mentioned aspects invent the wind acceleration and potential for electrical power generation. WE is reformed into electrical energy by employing Wind Turbine(WT) they novitiate driving force to electromotive force. In this we study about the control entities in DCIG,constates the main stream contours for the WT in the exploring exertions.

This paper is reorganized as proceeds in part I depicts about the WES [3]firmness to the yield potential from wind, the power coefficient(C_o) and the Tip Speed Ratio Characteristic[3]. DCIG exemplary and the curb strategy is accustomed by a PI assessor in part II [3]and mutated PI assessors in part III and IV respectively[4]. And part V is counterfeit results with matlab Simulink model and final cessation in part VI.

PartI Wind Energy System(WES):

WES will metamorphose the dynamic vitality into automated vitality by WT blades and yet novitiates to the electrical vitality through a dynamo. The WT based on DCIG scheme is given in fig1. The vitality originated from the WT's depends on the velocity of wind speeds. At flat wind speeds the WT cannot provoke electrical vitality i.e for (1-3)m/s. At wind speeds in the midst (2-5)m/s the WT's will start calling i.e 'Cut-in-wind-speed'. At the wind speeds in the midst of (12-15)m/s is termed as the 'nominal or rated wind speed', where WT's employing on their full spectrum. At huge wind speeds that are over 25m/s, the WT will be hampered i.e , because huge wind speeds may deteriorate the mechanics of the WT's. The gain of WT is dependent on the power coefficient C_o . It is given by

$$P_m = \frac{1}{2} \rho \pi R^2 v^3 C_o \quad (1)$$

And the tip speed ratio is constructed as

$$\Gamma = \frac{W_r \gamma}{v} \quad (2)$$

ρ - is the air density (kg/m³), v - is velocity of wind speed m/s, W_r – is the turbine speed, C_o –power coefficient and β - is the pitch angle.

$$C_o(\Gamma, \beta) = c_1 \left(\frac{c_2}{\Gamma} - c_3 \beta - c_4 \right) e^{\frac{c_5}{\Gamma}} + c_6 \quad (3)$$

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In which

$$\frac{1}{\Gamma i} = \frac{1}{\Gamma + 0.08B} - \frac{0.035}{B^3 + 1} \quad (4)$$

The above parameters depends on the shape of the blade and its aerodynamic consumption. Fig2 shows the affinity among (C_o and Γ)

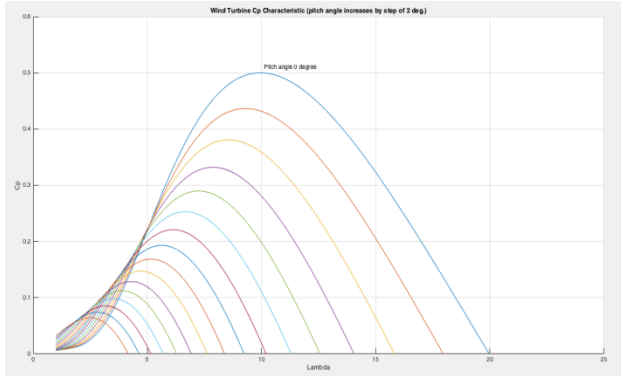


Fig2: plot between Lambda and Power coefficient

Part II DCIG system:

DCIG consist of WRIG (wound rotor Induction Generator) and an AC/DC/AC IGBT-placed PWM converter. All electrical valuables and criterions and accredit to the stator as show below in fig3

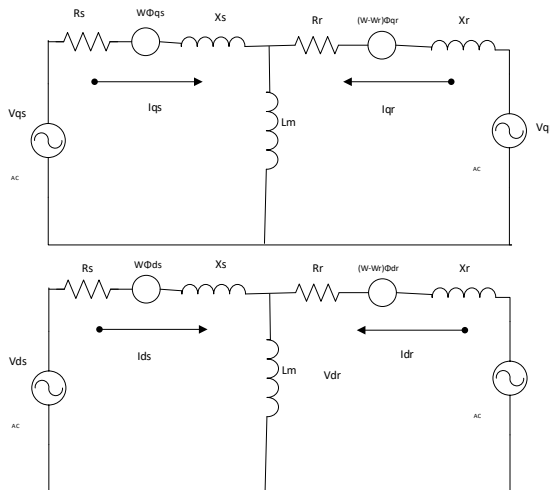


Fig3&4: proportionate equivalent circuit of DCIG Q-axis and D-axis parameters

The electrical equation of DCIG in the proportionate circuit shown in fig3 and fig4 from the Park's Transformation are given below[2][3]

$$Vds = Rs Ids + \frac{d}{dt} \phi ds - Ws \phi qs \quad (5)$$

$$Vqs = Rs Iqs + \frac{d}{dt} \phi dr + Ws \phi ds \quad (6)$$

$$Vdr = Rr + \frac{d}{dt} \phi dr - (Ws - W) \phi qr \quad (7)$$

$$Vqr = Rr + \frac{d}{dt} \phi qr + (Ws - W) \phi dr \quad (8)$$

Likewise the stator flux can be conveyed as

$$\phi dr = Ls Ids + Lm Idr \quad (9)$$

$$\phi qr = Lr Iqr + Lm Iqs \quad (10)$$

Where R_s, R_r, L_s, L_r acts as resistances and leakage reactance's of both stator and rotor windings and L_m acts as mutual inductance and W is the rotor speed.

Likewise $V_{ds}, V_{dr}, V_{qs}, V_{qr}, I_{ds}, I_{dr}, I_{qs}, I_{dr}, \phi_{ds}, \phi_{dr}, \phi_{qs}, \phi_{qr}$ acts as the direct and quadrature peripherals of the space phasors of the stator and rotor voltage, current and flux ingredients.

The active and reactive competencies at the stator and rotor are defined as

$$P_s = V_{ds} I_{ds} + V_{qs} I_{qs} \quad (11)$$

$$Q_s = V_{qs} I_{ds} - V_{ds} I_{qs} \quad (12)$$

$$P_r = V_{dr} I_{dr} + V_{qr} I_{qr} \quad (13)$$

$$Q_r = V_{qr} I_{dr} - V_{dr} I_{qr} \quad (14)$$

Eventually, the electromagnetic revolution is given as

$$T_e = 1.5p(\phi_{ds} I_{qs} - \phi_{qs} I_{ds}) \quad (15)$$

where (p – polepairs)

II. CONTROL STRATAGEM& RESULTS:

An exemplary design of a PI Assessor system is shown in fig 4 below from which the PI assessor is adopted to achieve the proportional and integral behavior of the resulting signals admixed and include to form the control signal $u(t)$ enforced with the plant model. A mathematical depiction of the PI assessor is

$$u(t) = (K_p[e(t) + \frac{1}{T_i} \int e(t) dt]) U_p(t) + U_i(t) \quad (16)$$

where K_p – Proportional gain, T_i

– integral time constant of PI assessor, $e(t)$

– error signa, $u(t)$ – input signal = $r(t) - y(t)$

As PI assessors are most recurrently used in which an assessor without Differentiator(D) mode is used during (i) rapid feedback is not enforced (ii) Huge dis orders and turbulences are begun during action of the mean process of assessors(iii) There is only one vitality storage in means (iv) there are huge transit bind in the structure or arrangement.

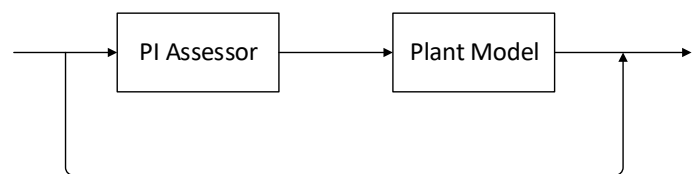


Fig5: an exemplary design of PI control structure

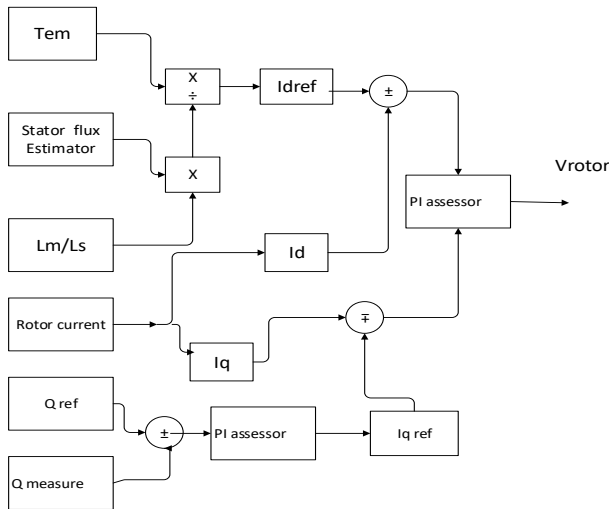


Fig 6: Arrangement of RSC Control System

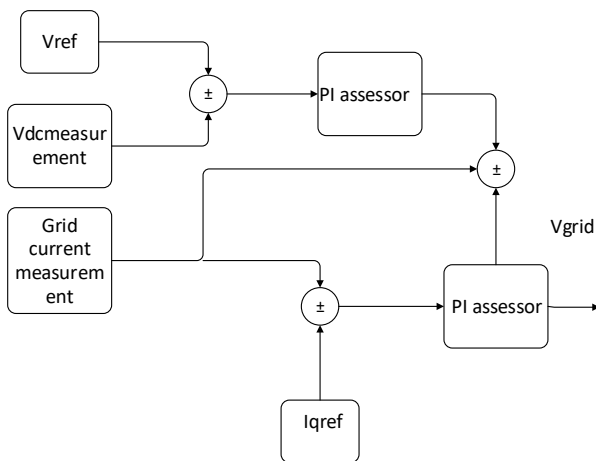


Fig 7: Arrangement of GSC control system

The above arrangements are with a typical PI assessor in which the typical PI assessor is replaced with FOPI assessor and ALOFOPI assessors.

FOPI Assessor:

From view of typical PI assessor an FOPI assessor abides much sophisticated attainment. It was popularized by Podlubny, who prospected a generalized $PI^\lambda D^\mu$. Adopting a ' λ ' order integrator and ' μ ' order differentiator. He proven the excellence of the FOPID controllers than the typical PID controllers which have three tuning parameters[6]. The generic form of the translation action of the plant was

$$P(s) = \frac{k}{Ts + 1} \quad (16)$$

where T and K are constants. In this sector, two distinct assessors are discussed as ensures:

$$Cpi(s) = Kp \left(1 + \frac{Ki}{s} \right) \quad (17)$$

$$Cfopi = Kp \left(1 + \frac{Ki}{s\lambda} \right) \quad (18)$$

Design Stipulation:

A tune method for PI assessor and FOPI assessor[6] is proposed. We adopt the gain crossover frequency, W_c and phase margin ϕ_m to be co equal for the pair of assessors. For

the system cohesion and vitality the following restraints are considered.

a) $Arg[g(jw)] = Arg[C(jwc)P(jwc)] = \angle C(jwc) + \angle P(jwc) = -\pi + \phi_m$ Where $G(jw)$ is the open loop translation action of the system, $c(jw)$ is the assessor translation action and $P(jw)$ is the plant translation action.

b) Gain cross over frequency restraint:

$$IG(jw)Idb = IC(jwc)P(jwc)Idb = 0 \quad (19)$$

c) Vitality to loop yield variations which appeals that the Bode plot to be oblate at the Gain Cross over frequency W_c i.e. the derivative of the open loop phase at the gain cross over frequency to be level to zero

$$\left. \frac{d(Arg[G(jwc)])}{dw} \right| = 0 \text{ at } w = wc \quad (20)$$

Fractional order PI assessor adopting:

A tune method for FOPI assessor is given below for the considered first order plant. The open loop translation action with FOPI assessor is[6]

$$\begin{aligned} G(s) &= Cfopi(s)P(s) \\ &= Kp \left(1 + \frac{Ki}{(jw)\lambda} \right) \left(\frac{K}{Ts} + 1 \right) \end{aligned} \quad (21)$$

Where K and T are known and Kp, Ki and λ should be designed in the assessor design process. The FOPI assessor can be expressed as

$$Cfopi(s) = Kp \left(1 + \frac{Ki}{s\lambda} \right) = Kp \left(1 + \frac{Ki}{(jw)\lambda} \right) \quad (22)$$

Modelling of ALOPI and ALOFOPI assessors:

In this annex the ALOPI and ALOFOPI assessors are proposed[1][4]. The approach of tuning PI and FOPI with ALO is summarized as below. ALO is a recent advanced stemmer, which mimics the trapping action of ants lions invariant. There in advent, ants and ant lions act as probe are prospected to find explanation by stride of angling the victim, that comprises the stochastic process of ants, to morgue traps, demurrer of ants in to traps, trapping victim and reconstruction of traps. The numerical hypothesis of ALO is depicted as below. Ants step actuarially invariant when probing the victim, so a stochastic of an ant at each stride of accession process is as follows:

$$X_i = [0; r(1); r(1) + r(2); \dots; \sum_{j=1}^{T-1} r(j); \sum_{j=1}^T r(j)] \quad (23)$$

Where $i=1, \dots, \text{dim}$, dim is the ant or ant lion tenuity, T is the maximal number of loops ,

$X = [X_1; \dots; X_{\text{dim}}]$, $X_{i \text{ isa}}(T+1) \times 1 \text{ matrix}$ and $r(j)$ is an actuarial expansion and can be uttered as $r = 1 \text{ rand} > 0.5 \text{ or else } -1 \text{ for rand} \leq 0.5$ where rand is a ergodic number beget with allocation discretion in the range of $(0,1)$. Discretionary walks of ants need to be regenerated the location in actual search space according to curtailer and loftier bourne. It is diagnosed by

$$Y_i = \frac{(X_i - a_i)}{(b_i - a_i)} \times (d_i - c_i) + c_i \quad (24)$$

a_i and b_i are the littlest and mostlest of X_i , c_i and d_i augur the littlest and mostlest of antlion in the i th tenuity severally respectively, $Y = [Y_1; \dots; Y_{\text{dim}}]$, Y_i is a $(T+1) \times 1 \text{ matrix}$, X_i is altered in the domain $[0,1]$ using $\frac{(X_i - a_i)}{(b_i - a_i)}$. Then it is regenerated in the sphere $[c_i d_i]$ using eq(24). It dints the anomaly about the electant lion [1]. The antsincline are affected by antlions traps. This can be described as

$$C = C! + \text{Antlion}$$

$$d = d! + \text{Antlion}$$

$c!$ and $d!$ are the littlest and moistest of dynamic limits at current loop. Ant lion represent the right ant lion elect by roulette, according to the fitness [1].

$$C! = (lb) \div (10^\omega \times \left(\frac{t}{T!}\right)) = (ub) \div (10^\omega \times \left(\frac{t}{T!}\right))$$

' t ' is the current iteration and lb & ub are the lower and upper limits of the roulette. And ω -constant based on the current iteration.

$$w = 2 \text{ } t > 0.1T$$

$$w = 3 \text{ } t > 0.5T$$

$$w = 4 \text{ } t > 0.75T$$

$$w = 5 \text{ } t > 0.9T$$

$$w = 6 \text{ } t > 0.95T$$

Y is a $(T+1) \times \text{dim}$ matrix deliberated in the order of equation

The next step is to adopt elitism to the optimization. Where the point of each ant depends on the stochastic around an ant lion selected by the roulette and elite.

$$\text{Ant} = \frac{Ra + Re}{2} \text{ Ant is the new position}$$

Ra is the random walk around the ant lion selected by the roulette wheel, Re is the random walk around the Elite.

$$\text{Antlion} = \text{ant}, \text{ if } f(\text{Ant}) < f(\text{Ant lion})$$

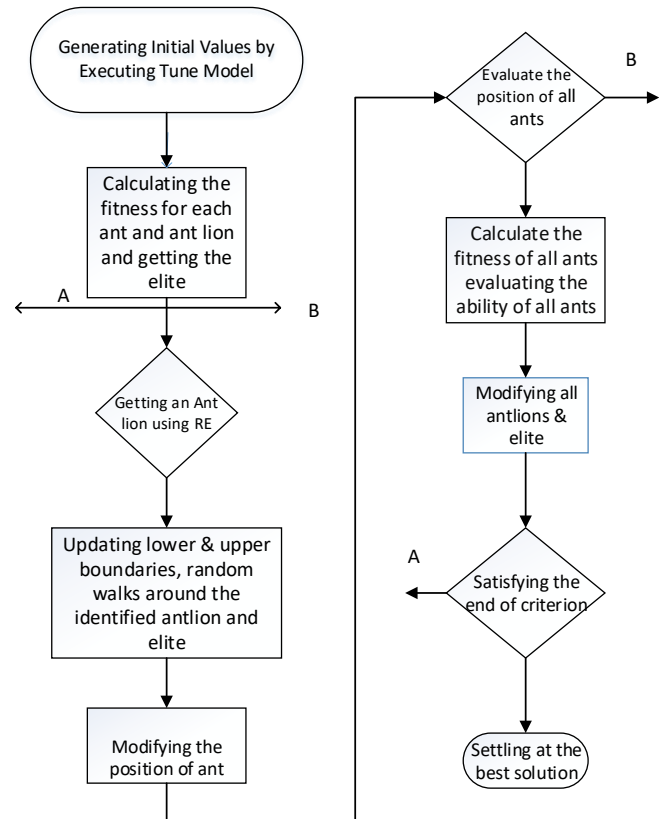


Fig 8: Flow chart for implementing the ALO stemming rule

Part V Counterfeit Results:

The case illustrated a wind farm of rating 1.5MW coupled to DCIG of rating 1.5 MW is connected to a grid connected system of 30 km length. This system is estimated the performance with some assumed power setting corresponding to the output active and reactive output powers. The control systems uses a Torque control to stabilize the speed with 1.2pu. To have constant power at the grid it is required to maintain the DC voltage between the back to back converters is maintained constant. To have constant air gap flux (i.e. V/F) ratio is maintained constant such that the air gap power and hence the power from the stator feeding the grid can also be maintained with constant value. At $\hat{B}=0$ degrees the power coefficient is equal to 0.47. The simulation block diagram is given as below. Lastly the results are analyzed by considering a voltage dip from 0.03 to 0.13 secs with a voltage dip of 50 percent. Following figures shows the output waveforms for a typical PI assessor, PI assessor tuned with ALO technique, FOPI assessor and ALOFOPI assessor. At we can conclude that ALOFOPI assessor powers have been enhanced when compared with the remaining assessors.

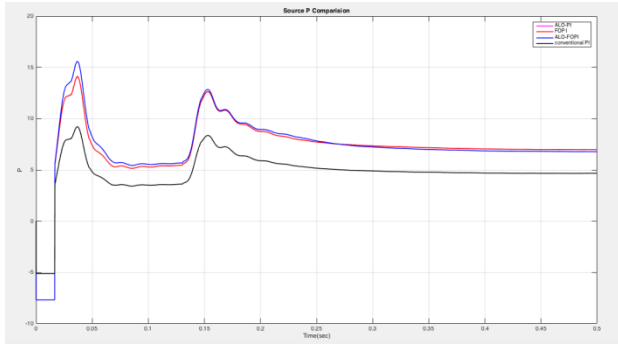


Fig9: Collation of typical PI, ALO-PI, FOPI, ALOFOPI assessors in generating the active power with a voltage dip from 0.03 to 0.13 msec at source

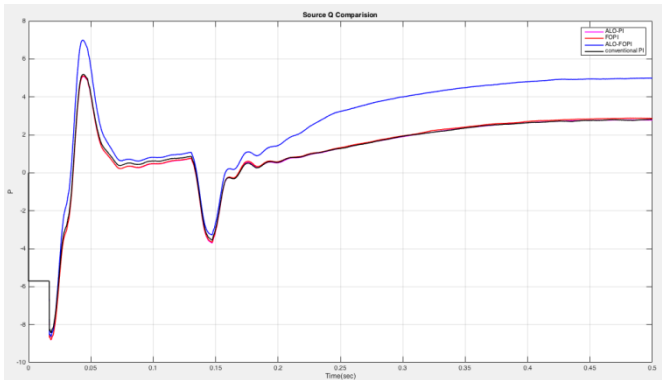


Fig10: Collation of typical PI, ALO-PI, FOPI, ALOFOPI assessors in generating their active power with a voltage dip from 0.03 to 0.13 msec at source

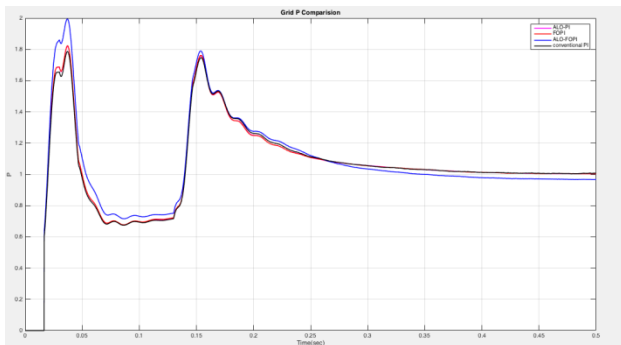


Fig11: Collation of typical PI, ALO-PI, FOPI, ALOFOPI assessors in generating the active power with a voltage dip from 0.03 to 0.13 msec at grid

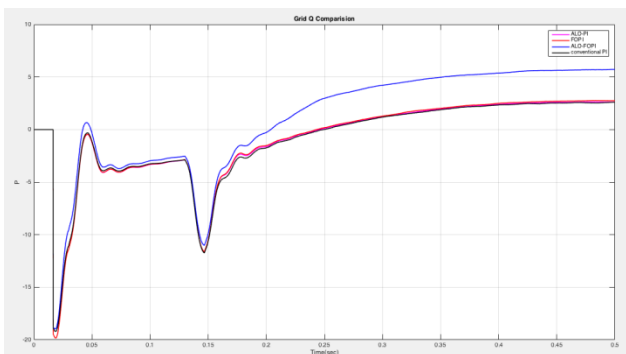


Fig12: Collation of typical PI, ALO-PI, FOPI, ALOFOPI assessors in generating the active power with a voltage dip from 0.03 to 0.13 msec at grid

III. CONCLUSION:

From the simulation results the collated with typical PI controller the power outputs are enhanced with ALOFOPI controllers. It can use various size model for study and monitoring advanced strategies in future. From the results we can understand that the power output properties can yield much better even with various input velocities of the wind speeds.

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